

Introduction to the 2 soil hydrology schemes of ORCHIDEE : processes, parameters, options,...

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Outline

1. Introduction

- Water budget and soil hydrology
- Interactions with the vegetation

2. The 2-layer « Choisnel » scheme

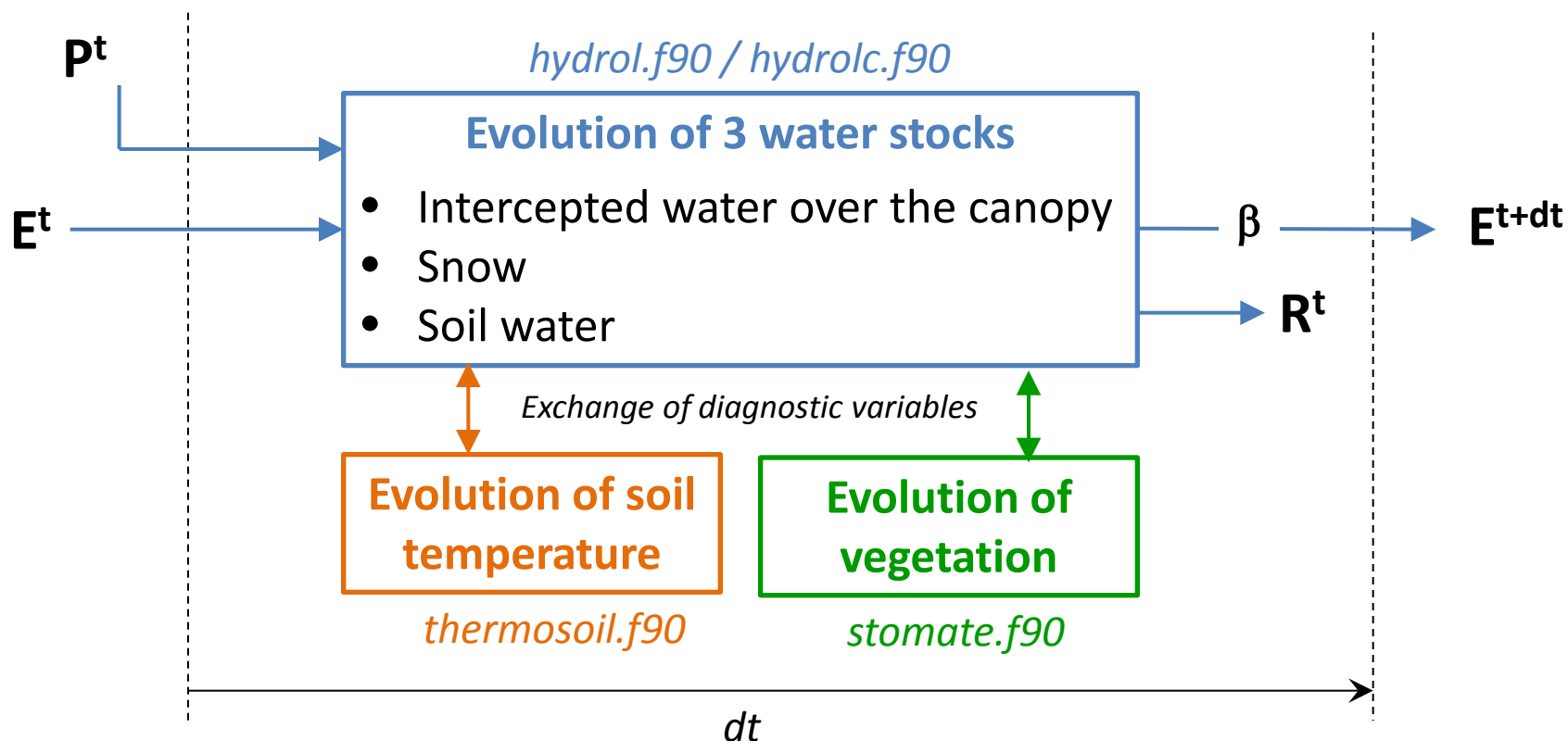
3. The multi-layer « CWRR » scheme

More details in the embedded doc for « Choisnel », and on the Wiki for « CWRR »:

http://forge.ipsl.jussieu.fr/orchidee/attachment/wiki/Documentation/eqs_hydrol.pdf

Water budget and soil hydrology

$$dS/dt = P - E - R$$

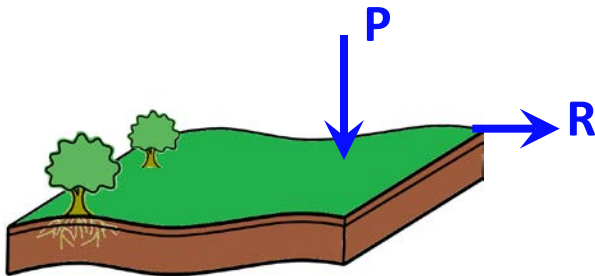


Today, we will focus on soil water and the related water fluxes (soil hydrology)
No interception, no snow, no soil water freezing

Two versions of soil hydrology

Two-layer = Choisnel = ORC2

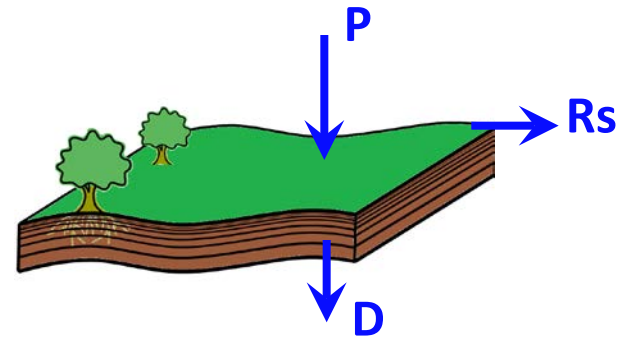
*Ducoudré et al., 1993; Ducharne et al., 1998;
de Rosnay et al. 1998*



- **Conceptual description of soil moisture storage**
 - **4-m soil and 2-layers**
 - Top layer can vanish
 - Constant available water holding capacity (between FC and WP)
 - Runoff when saturation
 - No drainage from the soil
- We just diagnose a drainage as 95% of runoff for the routing scheme

Multi-layer = CWRR = ORC11

*de Rosnay et al., 2002; d'Orgeval et al., 2008;
Campoy et al., 2013*

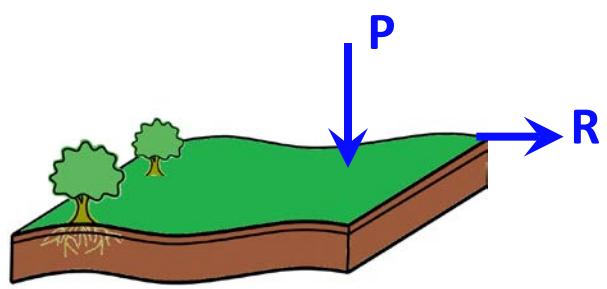


- **Physically-based description of soil water fluxes using Richards equation**
- **2-m soil and 11-layers**
- Formulation of Fokker-Planck
- Hydraulic properties based on van Genuchten-Mualem formulation
- Related parameter based on texture (fine, medium, coarse)
- Surface runoff = $P - E_{sol} - \text{Infiltration}$
- Free drainage at the bottom

Two versions of soil hydrology

Two-layer = Choisnel = ORC2

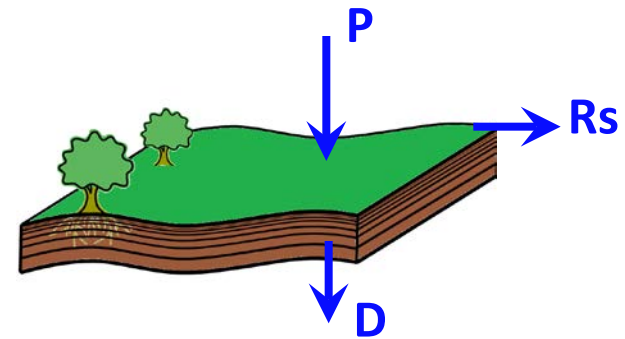
Ducoudré et al., 1993; Ducharne et al., 1998; de Rosnay et al. 1998



- Conceptual description of soil moisture storage
 - 2-m soil and 2-layers
 - Top layer can vanish
 - Constant available capacity (between 0 and 100%)
 - Runoff when saturation is reached
 - No drainage from bottom layer
- We just diagnose the amount of runoff for the routing scheme

Multi-layer = CWRR = ORC11

de Rosnay et al., 2002; d'Orgeval et al., 2008; Campoy et al., 2013



- Physically-based description of soil water fluxes using Richards equation
- 2-m soil and 11-layers
- Formulation of Fokker-Planck
- Infiltration based on van Genuchten formulation
- Evaporation based on texture (and temperature)
- Esol – Infiltration
- Free drainage at the bottom

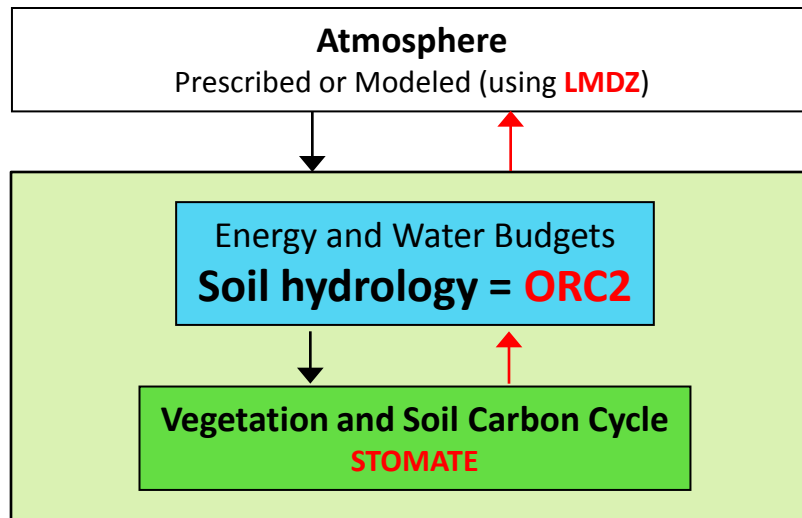
In run.def

HYDROL_CWRR = n / y

→ either hydrolc.f90 or hydrol.f90

The « merge »

Trunk



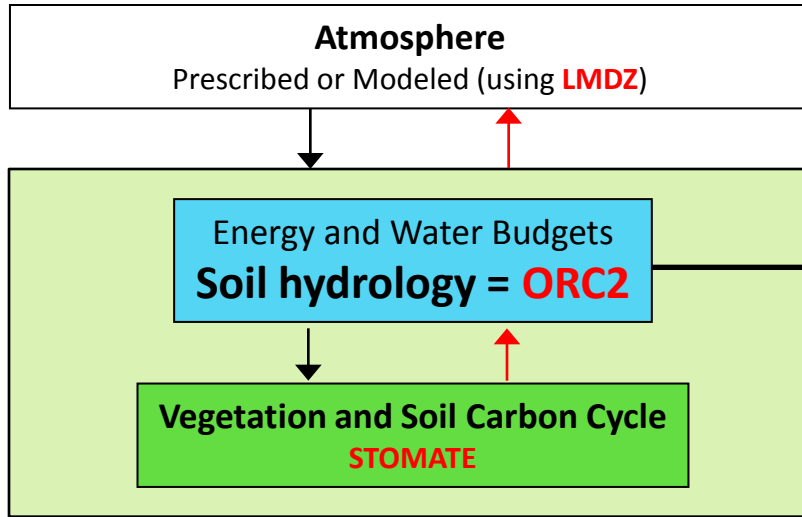
CMIP3

CMIP5

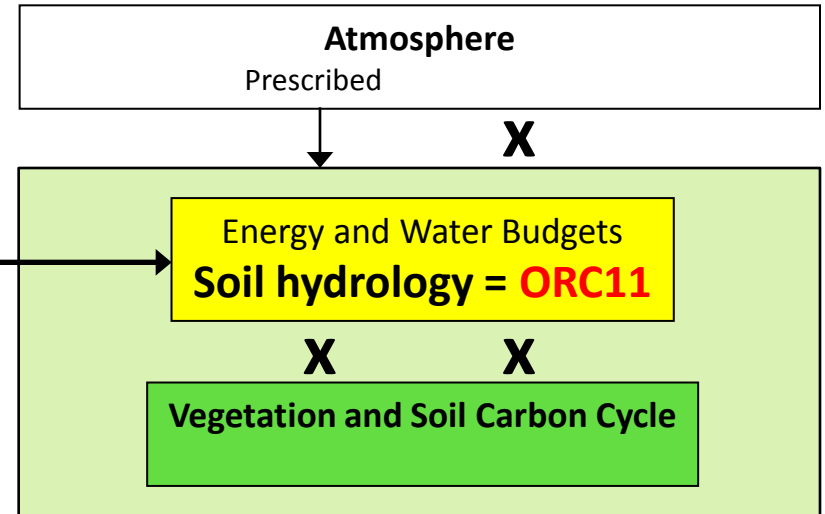
Guimberteau, 2010

The « merge »

Trunk



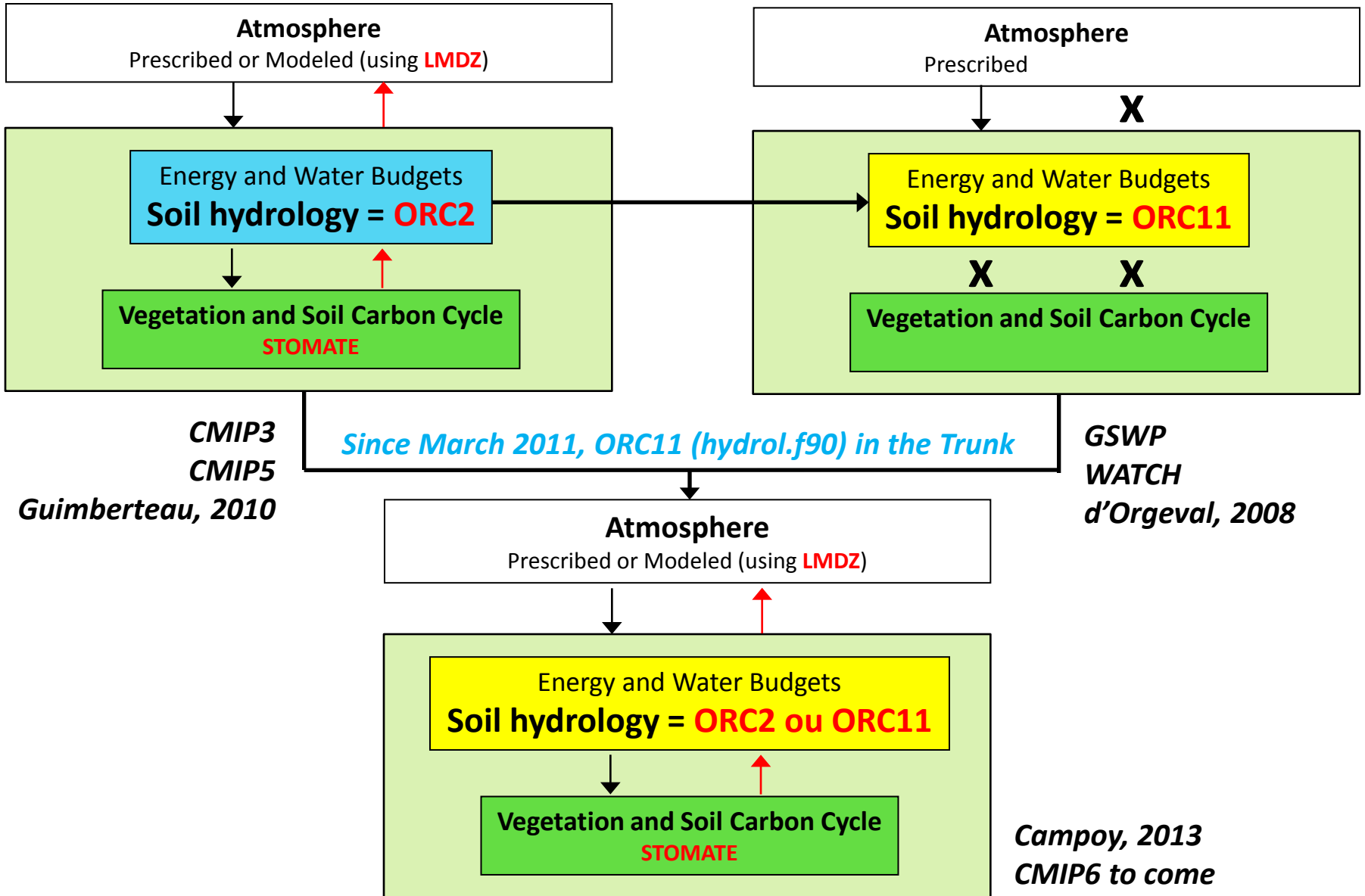
CMIP3
CMIP5
Guimberteau, 2010



GSWP
WATCH
d'Orgeval, 2008

The « merge »

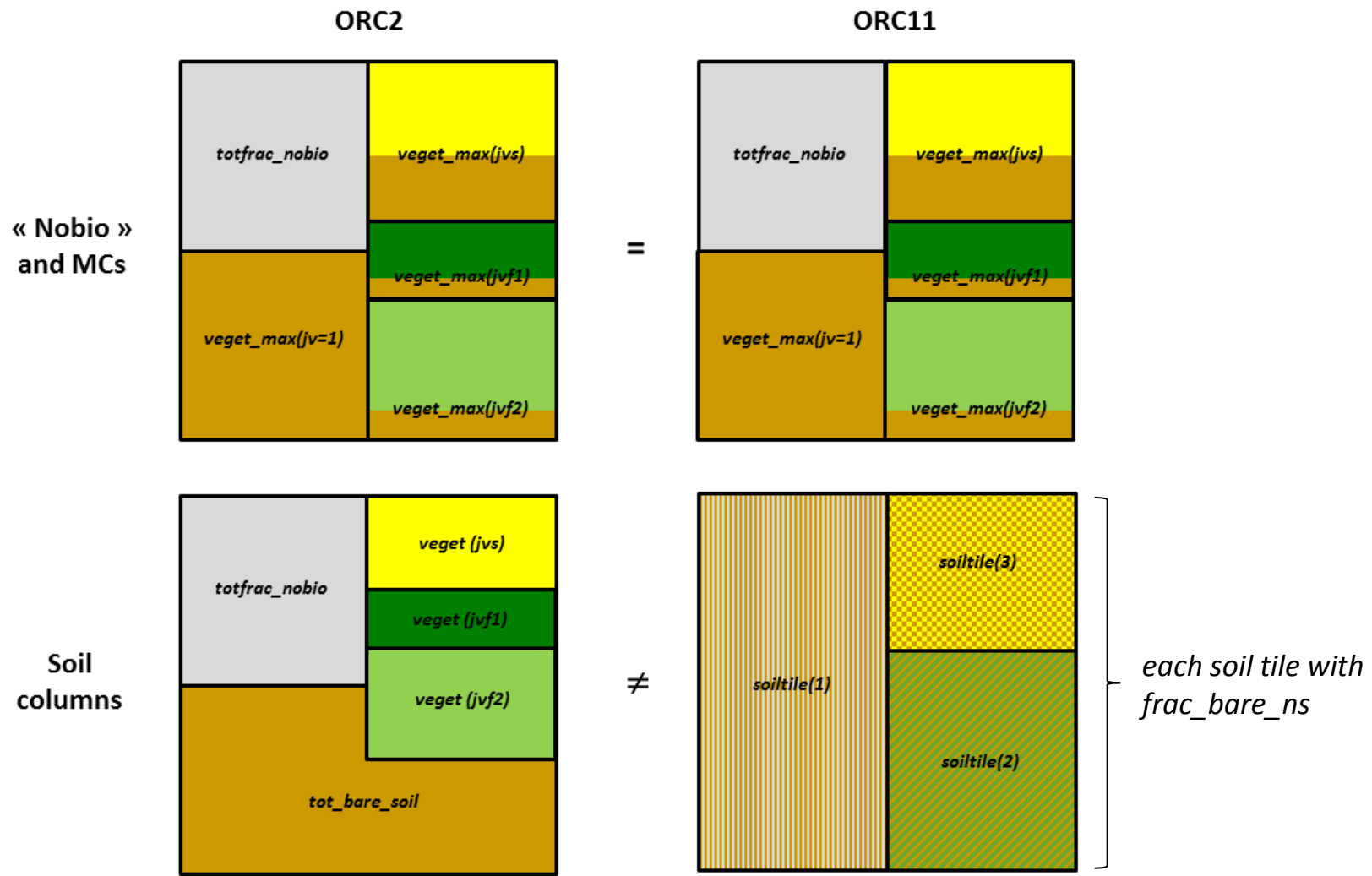
Trunk



Interactions with the vegetation

1. Horizontally, PFTs define soil tiles (below ground tiling)

This tiling, and the treatment of the bare soil fraction, are different in ORC2/ORC11



Interactions with the vegetation

2. **Vertically**, ORCHIDEE defines a root density profile

In each PFT j : $R_j(z) = \exp(-c_j z)$



Water stress function on ET

ORC2

ORC11



Us acts on Tr and Esol

in each soil layer i ,
 $us(i)$ acts on Tr only
(sink term)

In the code, c_j is called humcste and is defined in constantes_mtc.f90

It can be « externalized », with default values depending on soil hydrology/depth

```
REAL(r_std), PARAMETER, DIMENSION(nvmc) :: humcste_mtc = &
  & (/ 5.0, 0.4, 0.4, 1.0, 0.8, 0.8, 1.0, &
  & 1.0, 0.8, 4.0, 1.0, 4.0, 1.0 /)
!! Values for dpu_max = 4.0
```

```
REAL(r_std), PARAMETER, DIMENSION(nvmc) :: humcste_cwrr = &
  & (/ 5.0, 0.8, 0.8, 1.0, 0.8, 0.8, 1.0, &
  & 1.0, 0.8, 4.0, 4.0, 4.0, 4.0 /)
!! Values for dpu_max = 2.0
```

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More details in the embedded doc for « Choisnel », and on the Wiki for « CWRR »:

http://forge.ipsl.jussieu.fr/orchidee/attachment/wiki/Documentation/eqs_hydrol.pdf

Reference papers: Ducoudré et al., 1993; Ducharne et al., 1998; de Rosnay et al. 1998

PhD theses : Ducoudré, 1992; Ducharne, 1997; de Rosnay, 1999

Main principles of the Choisnel scheme

1. There can be either 1 or 2 soil layers in ORC2, depending on hydrological history

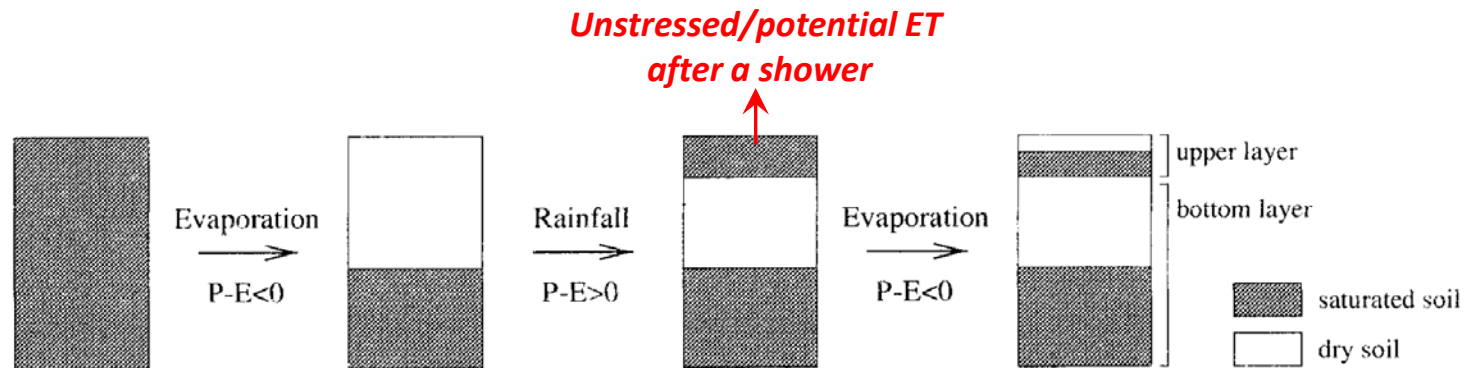


FIG. 1. Schematic diagram of the evolution of the two soil layers in SECHIBA.

If the top layer dries out => 1 layer
The soil can also be totally dry => 1 layer
If the soil becomes saturated again => 1 layer

The water stress factor U_s

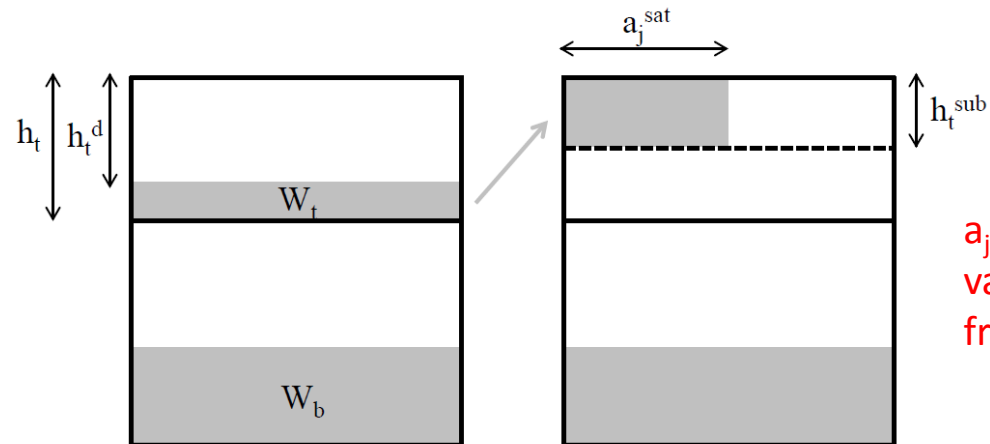
U_s conveys the water stress onto transpiration and (bare) soil evaporation

$$T_r = \rho \left(1 - \frac{I}{I_{max}} \right) U_s \frac{q_{sat}(T_s) - q_{air}}{r_a + r_c + r_{st}} \quad E_{sol} = \rho U_s \frac{q_{sat}(T_s) - q_{air}}{r_a + r_{sol}}$$

It depends on dry soil height

If 1 layer: $U_s = \exp(-c_j h_t^d)$

If 2 layers: $U_s = a_j^{sat} \exp(-c_j h_t^d) + (1 - a_j^{sat}) \exp(-c_j h_b^d)$



a_j^{sat} serves to smooth the variation of U_s when going from 2 to 1 soil layer

$$a_{subgrd} = a_j^{sat} = \min[1, W_t / (h_t^{sub} \theta^{max})]$$

Soil resistance to bare soil evaporation

r_{soil} is the main control of water stress onto bare soil evaporation

$$E_{\text{sol}} = \rho U_s \frac{q_{\text{sat}}(T_s) - q_{\text{air}}}{r_a + r_{\text{sol}}}$$

It depends on the dry soil height of PFT 1

$$r_{\text{soil}} = r_{\text{soil}}^m \left(h_{\text{dry}} + \frac{1}{100(h_{\text{tot}} - h_{\text{dry}})^2} \right)$$

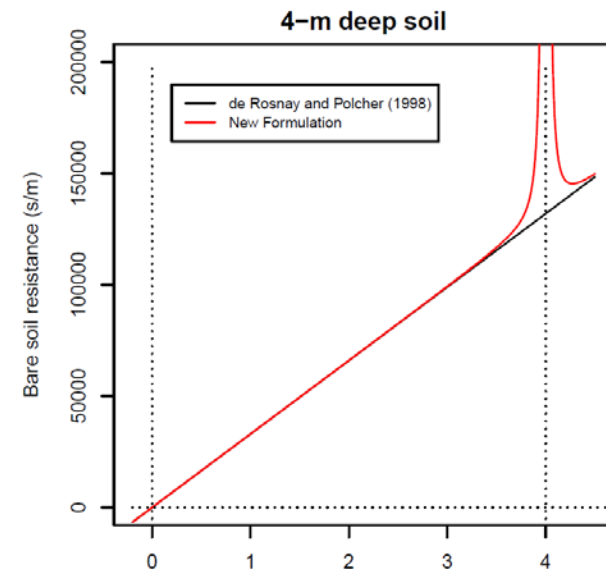
$$h_{\text{dry}} = a_1^{\text{sat}} h_{t_1}^d + (1 - a_1^{\text{sat}}) h_{b_1}^d$$

r_{soil}^m corresponds to `rsol_cste` in the code

It is externalized but you should keep the default value

```
REAL(r_std), SAVE :: rsol_cste = 33.E3
```

1 cm of dry soil exerts $r_{\text{soil}} = 330 \text{ s/m}$



Internal water redistribution

Vertically, ORC2 accounts for internal drainage between the 2 soil layers

$$D_t = D_t^{\min} \frac{W_t}{W_t^{\max}}, \text{ if } W_t < W_t^{\lim}$$

Slower drainage if low
top soil moisture

$$D_t = D_t^{\min} \frac{W_t}{W_t^{\max}} + (D_t^{\max} - D_t^{\min}) \left(\frac{W_t - W_t^{\lim}}{W_t^{\max} - W_t^{\lim}} \right)^{\alpha_t}, \text{ if } W_t \geq W_t^{\lim}$$

There are two kinds of horizontal diffusion between the PFTs

After each timestep, the PFTs are forced to share the same bottom moisture

$$W_{b_j} = \frac{\sum_j a_j W_{b_j}}{\sum_j a_j}$$

Optionally (and not by default), the top soil moisture variables (W_t and h_t^d) can be relaxed to their grid-cell weighted average, with a relation time of 1d

$$\Delta X_j = -\frac{\Delta t}{\tau_h} (X_j - \bar{X})$$

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(CWRR = Center for Water Resources Research, Dublin)

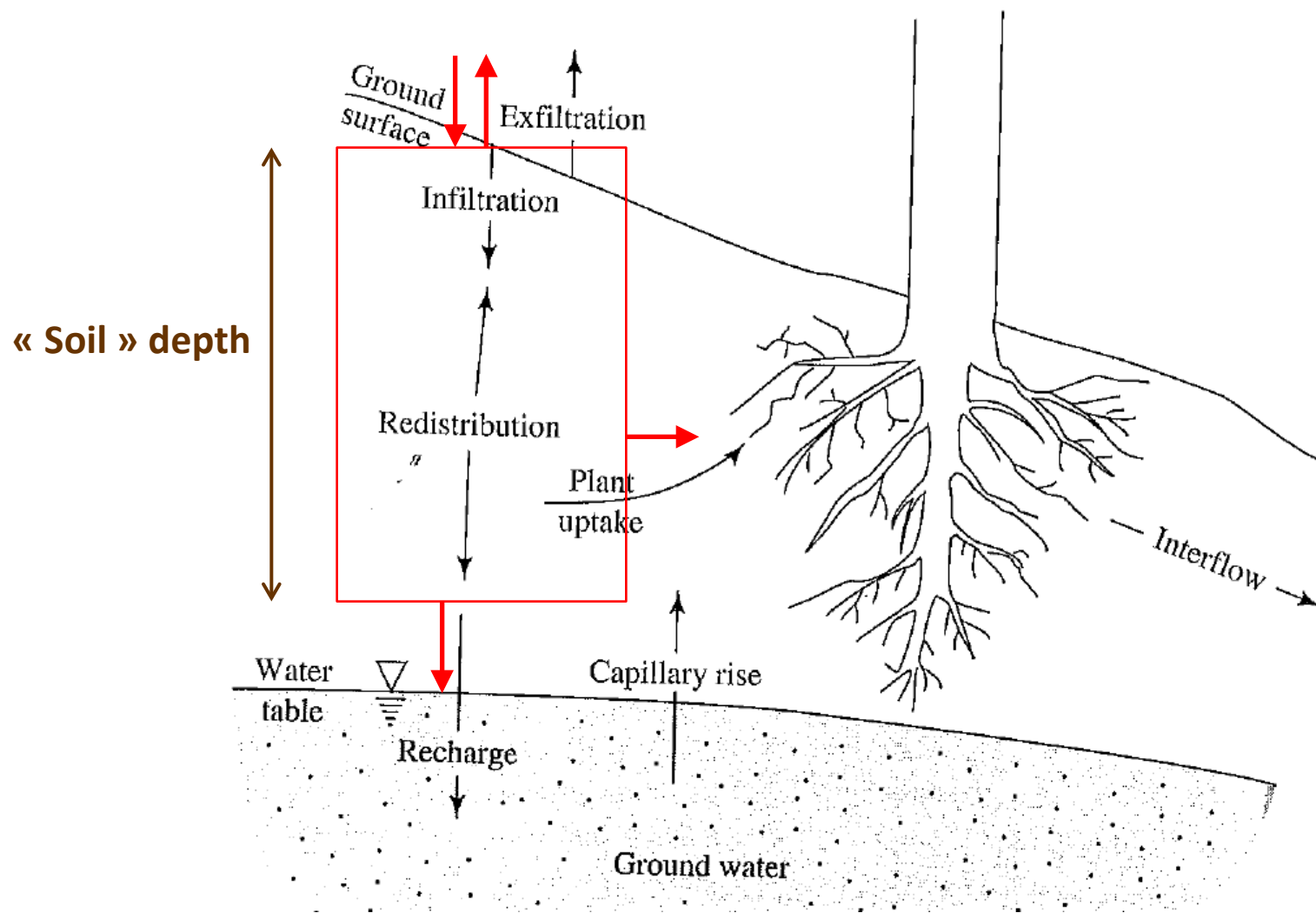
More details in the embedded doc for « Choisnel », and on the Wiki for « CWRR »:

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Reference papers: de Rosnay et al., 2000; de Rosnay et al., 2002; d'Orgeval et al., 2008;
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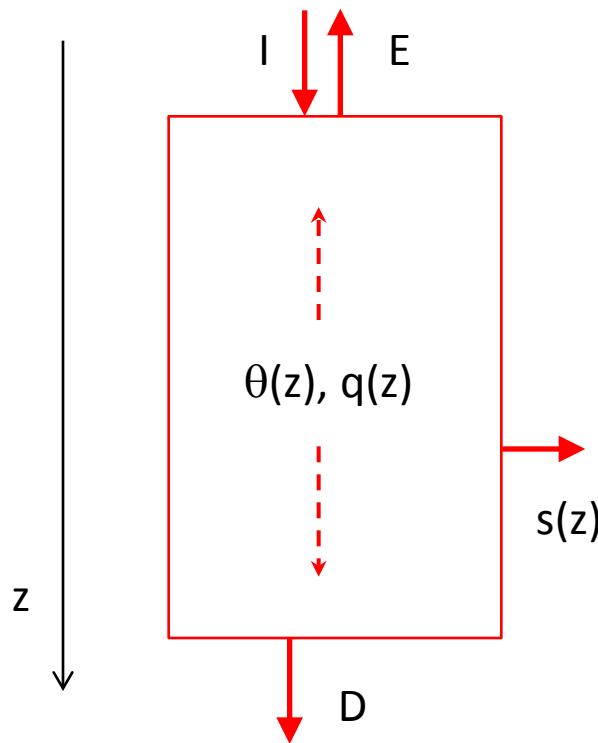
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What is modeled ?



How is modeled ?

1. We assume 1D vertical water flow below a flat surface



- θ : volumetric water content in $\text{m}^3.\text{m}^{-3}$
- q : flux density in $\text{m}.\text{s}^{-1}$
- h : hydraulic head in m
- K : hydraulic conductivity in $\text{m}.\text{s}^{-1}$
- s : transpiration sink in $\text{m}^3.\text{m}^{-3}.\text{s}^{-1}$

2. Continuity :

$$\frac{\partial \theta}{\partial t} + \frac{\partial q}{\partial z} = -s$$

3. Motion = diffusion equation because of low velocities in porous medium

$$q(z) = -K(z) \frac{\partial h}{\partial z}$$

4. Hydraulic head h quantifies the gravity and pressure potentials

$$h = -z + \psi \quad \psi \text{ is the matric potential (in m, } <0)$$

5. K and ψ depend on θ (unsaturated soils)

$$q(z) = -K(\theta) \left[\frac{\partial \psi}{\partial z} - 1 \right]$$

$$q(z) = -D(\theta) \frac{\partial \theta}{\partial z} + K(\theta)$$

+2 → Fokker-Planck eq.

$$D(\theta) = K(\theta) \frac{\partial \psi}{\partial \theta}$$

D is the diffusivity (in $\text{m}^2.\text{s}^{-1}$)

Richards equation

The hydrodynamic parameters

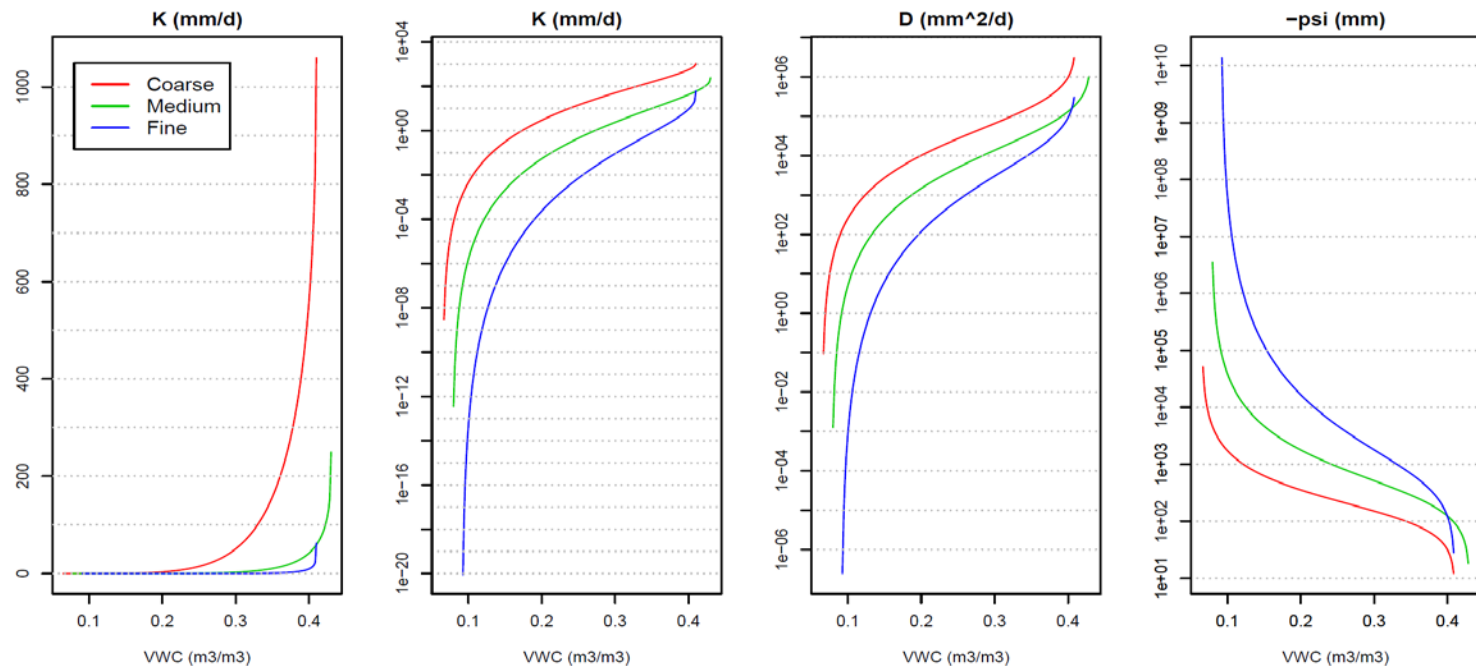
- K and D depend on saturated properties (measured on saturated soils) and on θ
- Their dependance on θ is very non linear
- In ORCHIDEE, this is decribed by the so-called Van Genuchten-Mualem relationships:

$$K(\theta) = K_s \sqrt{\theta_f} \left(1 - \left(1 - \theta_f^{1/m} \right)^m \right)^2 \quad \theta_f = (\theta - \theta_r) / (\theta_s - \theta_r)$$

$$\psi(\theta) = -\frac{1}{\alpha} \left(\theta_f^{-1/m} - 1 \right)^{1/n} \quad m = 1 - 1/n$$

$$D(\theta) = \frac{(1-m)K(\theta)}{\alpha m} \frac{1}{\theta - \theta_r} \theta_f^{-1/m} \cdot \left(\theta_f^{-1/m} - 1 \right)^{-m}$$

Parameters:
 θ_s θ_r K_s m
 $\alpha = -1/\psi_{ae}$



Modifications of K_s with depth

K_s decreases exponentially with depth

- This follows observational reports (starting from Beven & Kirkby, 1979)
- In ORCHIDEE, the exponential decay starts at 30 cm

$$K_s(z) = K_s^{\text{ref}} \cdot \min(\exp(-f(z - z_{\text{lim}})), 1)$$

Parameters:
 K_s^{ref} f z_{lim}

K_s also increases towards the surface because of bioturbation (roots)

$$K_j(z) = \max \left(1, \left(\frac{K_s^{\text{max}}}{K_s^{\text{ref}}} \right)^{\frac{1-c_j z}{2}} \right)$$

$$K_s^*(z) = K_s(z) \prod_{j=2}^{13} K_j(z)^{f_v^j} = K_s(z) F_{K_{\text{root}}}$$

Parameters:
 K_s^{ref} K_s^{max} c_j^z
 (+ $f_v^j = \text{veget}$)

Impact on the other Van Genuchten parameters

- K_s^{ref} , α and m depend on soil texture
- To keep the consistency between them when K_s varies with depth, the other two are also changed (cf. d'Orgeval, 2006).

Parameters:
 n_0 , nk_{rel} , a_0 , ak_{rel}

Modifications of Ks with depth

Ks decreases exponentially with depth

- This follows observational reports (starting from Beven & Kirkby 1979)
- In ORCHIDEE, the exponential decay starts at 30 cm

$$K_s(z) = K_s^{\text{ref}} \cdot \min(\exp(-f(z)), 1)$$

Ks also increases toward

All this is done in `hydrol_var_init`
 Details can be found in :

http://forge.ipsl.jussieu.fr/orchidee/attachment/wiki/Documentation/egs_hydrol.pdf

$$K_s(z) \prod_{j=2}^n K_j(z)^{f_v^j} = K_s(z) F_{K_{\text{root}}}$$

Parameters:

K_s^{ref} K_s^{max} c_j^z
 (+ $f_v^j = \text{veget}$)

Impact on the other Van Genuchten parameters

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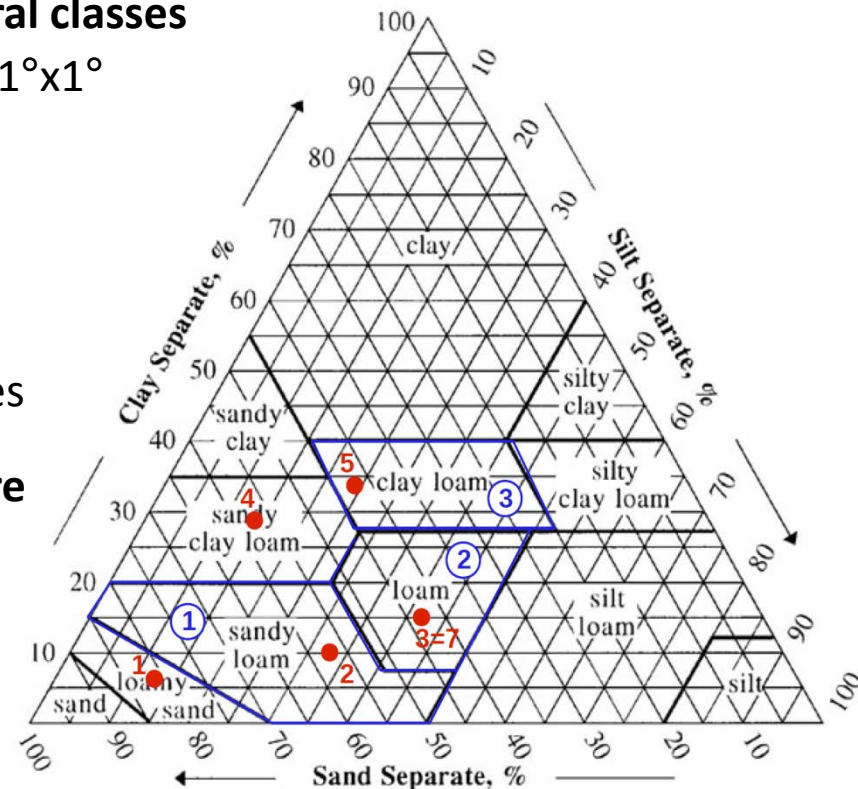
Parameters:

n_0 , nk_{rel} , a_0 , ak_{rel}

The role of soil texture

- In hydrol, the main soil properties are: θ_s θ_r K_s^{ref} m $\alpha=1/\psi_{ae}$
- They are defined based on soil texture
(in the real world, they can depend on other factors, as soil structure, OMC, etc.)
- **Soil texture is defined by the % of sand, silt, clay particles in a soil sample**
(granulometric composition)
- **Soil texture can be summarized by soil textural classes**
- By default, ORCHIDEE reads texture from the 1°x1° map of Zobler (1986)
 - 6 main textural classes
 - reduced to 3 = Coarse, Medium, Fine
- clay_fraction is a parameter for Stomate
- In progress : 1/12° map of the 12 USDA classes
- **In each grid-cell, we use the dominant texture**

In red, the interpretation of the Zobler texture classes in ORCHIDEE.
In blue, the definition of the default three main textures in ORCHIDEE



The role of soil texture

- In hydrol, the main soil properties are: θ_s θ_r K_s^{ref} m $\alpha=1/\psi_{ae}$

Their default values for the Zobler case are defined in `constantes_soils`, with the suffix `_fao`

- They are defined based on soil texture (in the real world, they can depend on other factors, as soil structure, OMC, etc.)

Two ways of defining soil texture in `run.def`

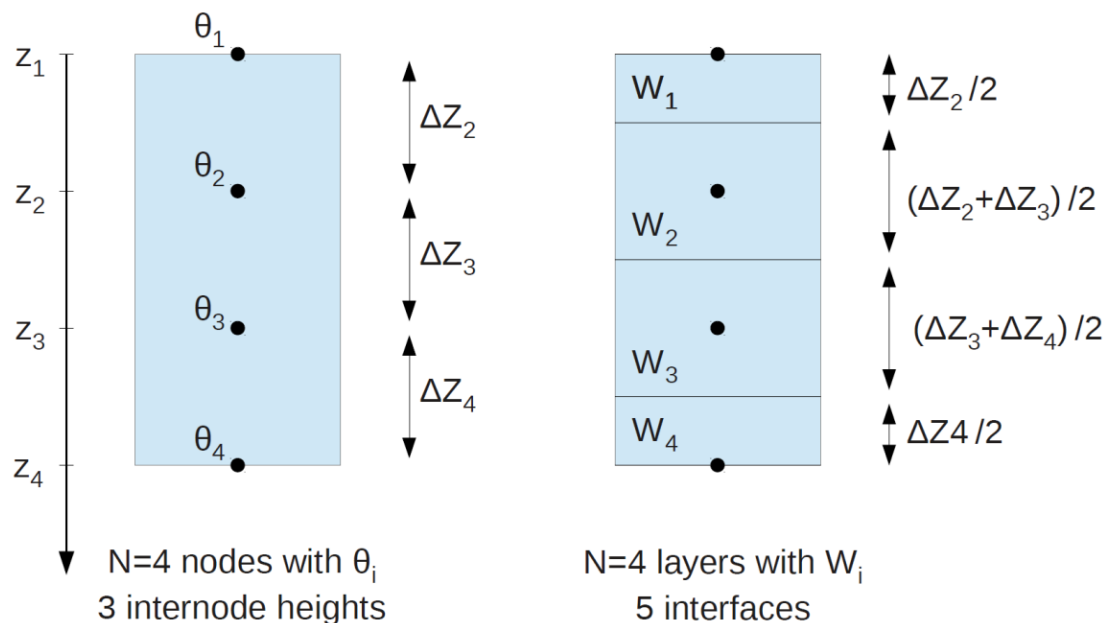
- Default: `SOILTYPE_CLASSIF = zobler ; SOILCLASS_FILE = soils_param.nc`
- `IMPVEG=y, IMPSOIL=y, SOIL_FRACTION = (x,y,z)`
 - x,y,z are areal fraction allocated to the Coarse, Medium, Fine soil textural classes
 - x,y,z are not % sand, silt, clay defining your soil's texture, despite the fact that this option is primarily intended for 0D simulations
 - to get the soil properties you want, set `SOIL_FRACTION = (1,0,0)`, and use the externalization to redefine the 1st value of the vectors defining soil properties

Finite difference integration (1)

- The differential equations of continuity and motion are solved using finite differences

$$\frac{\partial \theta}{\partial t} + \frac{\partial q}{\partial z} = -s \quad q(z) = -D(\theta) \frac{\partial \theta}{\partial z} + K(\theta)$$

- The soil column is discretized using N **nodes**, where we calculate θ_i
- The middle between 2 consecutive nodes defines the interface between 2 soil **layers**, except for the top and bottom layers
- The total water content W_i of a layer is obtained vertical integration of $\theta(z)$ in the layer, assuming a linear variation of $\theta(z)$ between 2 consecutive nodes



$$W_i = [\Delta Z_i (3 \theta_i + \theta_{i-1}) + \Delta Z_{i+1} (3 \theta_i + \theta_{i+1})] / 8$$

$$W_1 = [\Delta Z_2 (3 \theta_1 + \theta_2)] / 8$$

$$W_N = [\Delta Z_N (3 \theta_N + \theta_{N-1})] / 8$$

$$h_i = [\Delta Z_i + \Delta Z_{i+1}] / 2$$

$$h_1 = \Delta Z_2 / 2$$

$$h_N = \Delta Z_N / 2$$

In hydrol, z_i , ΔZ_i , h_i and W_i in mm

Finite difference integration (2)

- The continuity and motion equations become:

$$\frac{W_i(t + dt) - W_i(t)}{dt} = Q_{i-1}(t + dt) - Q_i(t + dt) - S_i \quad \text{Si = transpiration sink}$$

$$\frac{Q_i}{A} = -\frac{D(\theta_{i-1}) + D(\theta_i)}{2} \frac{\theta_i - \theta_{i-1}}{\Delta Z_i} + \frac{K(\theta_{i-1}) + K(\theta_i)}{2} \quad \text{A: grid-cell area}$$

- They can be solved using a tridiagonal matrix which updates θ_i (**prognostic variable**)
- To this end, $K(\theta_i)$ and $D(\theta_i)$ must be linearized at first order in θ
 - piecewise functions over 50 interval in $[\theta_r, \theta_s]$

$$K_k = a_k \theta_k + b_k$$

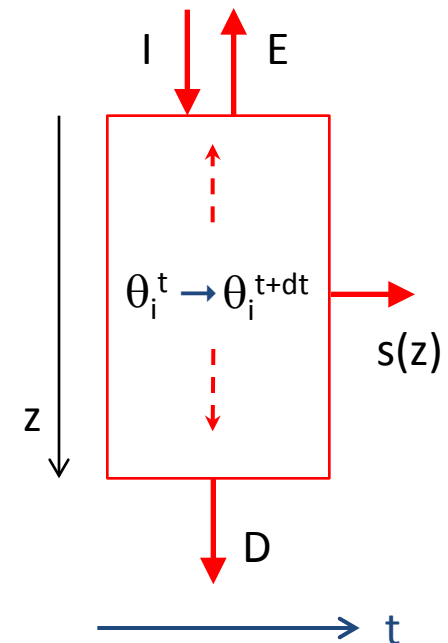
$$D_k = d_k$$

- Care is taken that θ remains in $[\theta_r, \theta_s]$ ← *hydrol_smooth*

- In this framework, the evolution of θ_i is driven by**

- soil properties (K , D , θ_r , θ_s , soil depth and Z_i)
- transpiration sink
- top and bottom boundary conditions:

$$Q_0 = I - E \quad \text{and} \quad Q_N = D$$



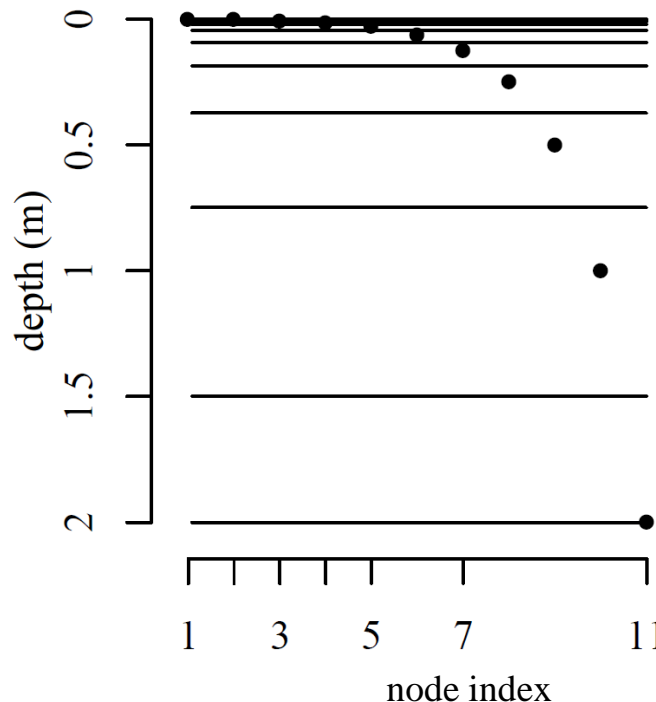
Finite difference integration (3)

- The effective vertical discretization must permit an accurate calculation of θ_i and the related water fluxes q_i
- We need thin layers where θ is likely to exhibit sharp vertical gradients (to better approximate the local derivative)
- Vertical discretization and boundary conditions must be decided together !

By default, in hydrol, we use :

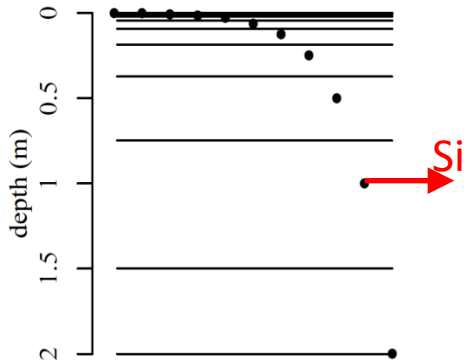
- 11 nodes (layers) with geometric increase of internode distance
- consistent with free/gravitational drainage at the bottom
- consistent with exponential decrease of root density for transpiration

(cf. de Rosnay et al., 2000)



i	≈ h _i (mm)
1	1
2	3
3	6
4	12
5	23,5
6	47
7	94
8	188
9	375
10	751
11	500

The transpiration sink



$$\frac{W_i(t + dt) - W_i(t)}{dt} = Q_{i-1}(t + dt) - Q_i(t + dt) - S_i$$

$$T_r = \rho \left(1 - \frac{I}{I_{max}} \right) U_s \frac{q_{sat}(T_s) - q_{air}}{r_a + r_c + r_{st}}$$

$$\left. \begin{aligned} T_r &= \sum S_i \\ U_s &= \sum us_i \end{aligned} \right\} S_i = T_r us_i / U_s$$

The dependance of T_r on θ_i/W_i is conveyed by $us(i)$

$$u_s(1) = 0$$

$$u_s(i) = \text{moderwilt}(i) n_{\text{root}}(i) \min(1, \sqrt{W_i/W_{\%}})$$

PARAMETERS

- $\text{moderwilt}(i) = 1$ but if $W_i < W_w$
- n_{root} : mean root density in layer i
 $n_{\text{root}} = \int_{h_i} R(z) dz / \int_{h_{\text{tot}}} R(z) dz$
 $R(z) = \exp(-c_j z)$
- W_w = wilting point
- $W_{\%}$: fraction of θ_s over which T_r is unstressed

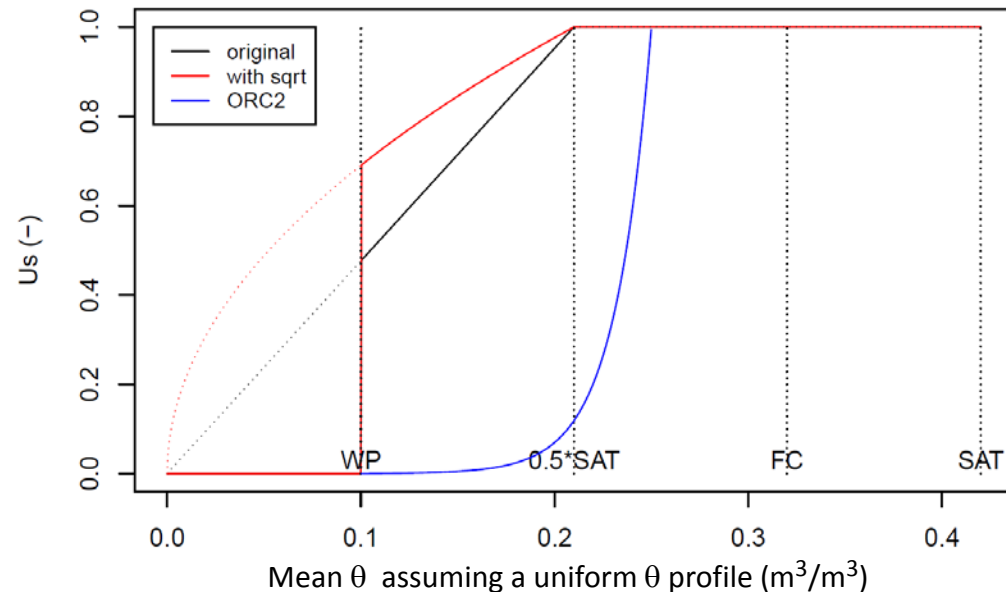
In *constantes_mtc.f90*:

$c_j = \text{humcste}$ (by PFT)

In *constantes_soil.f90*:

$W_{\%} = \text{pcent_fao} = (/ 0.5, 0.5, 0.5 /)$

$\theta_w = \text{mcw_fao} = (/ 0.1, 0.1, 0.1 /)$



Drainage

- **By default :** $Q_N = K(\theta_N)$
- Based on the initial motion equation, this corresponds to :
 - gravity is the only contribution to energy potential/hydraulic head

$$q(z) = -K(z) \frac{\partial h}{\partial z} \quad h = z + \psi$$

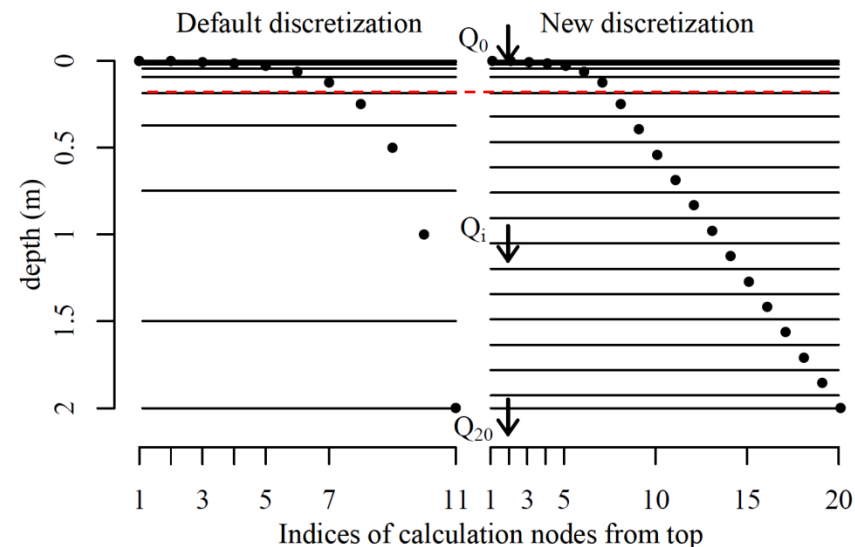
- θ does not show any vertical variations below the modeled soil

$$q(z) = -D(\theta) \frac{\partial \theta}{\partial z} + K(\theta)$$

- The code is also numerically apt to use reduced drainage : $Q_N = F.K(\theta_N)$ **F in [0,1]**
- With F=1, you get an impermeable bottom, like in the Choisnel scheme

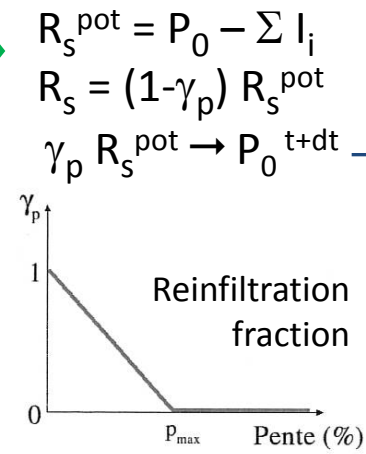
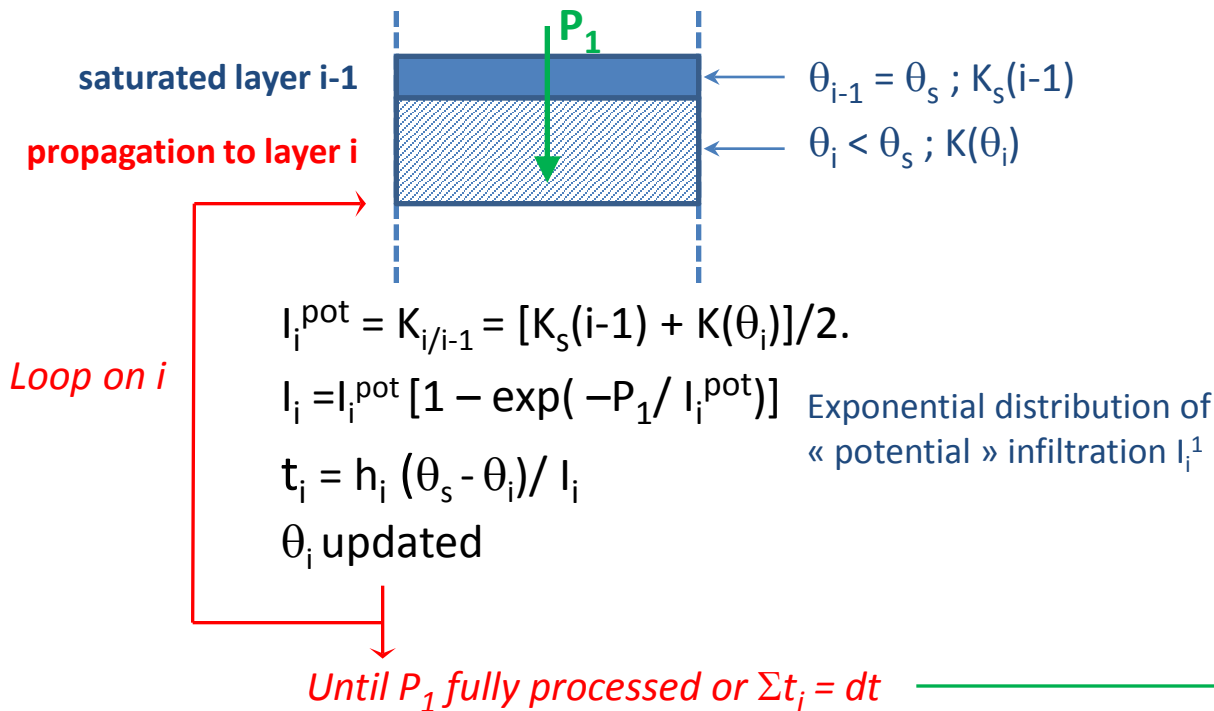
WARNING !

- Reduced drainage enhances θ gradients in the bottom soil,
- The default 11-layer discretization is not adapted anymore
- Campoy (2013) proposed a more flexible discretization, but it has not been included yet in the Trunk
- **So keep `free_drain_coef` to (1,1,1)**



Infiltration (and surface runoff)

- At the soil surface, throughfall can either infiltrate or run off (surface runoff)
 - The routing scheme can also produce water to infiltrate (return flow, irrigation, etc.)
 - The modeling of infiltration relies on gravitational fluxes: $q(z) = K(\theta)$ Soil absorption is neglected
- Direct infiltration to the top soil layer (1-mm deep)
 - If $P_0 > 1\text{mm/dt}$, infiltration of $P_1 = P_0 - 1\text{mm/dt}$ to the lowest layers : **wetting front propagation with time splitting procedure and sub-grid-variability**



In the code :
`reinf_slope = γ_p ??`

Soil evaporation

- Soil evaporation follows a supply/demand approach:

$$E_{soil} = \min(E_{pot}^*, Q_{up}) \quad E_{pot} = \rho \frac{q_{sat}(T_s) - q_{air}}{r_a} \quad E_{pot}^* = \rho \frac{q_{sat}(T_w) - q_{air}}{r_a}$$

- E_{soil} is estimated from soil moisture at the previous time step, with dummy integrations of the water diffusion (with D, but assuming no throughfall and no Tr/Si)

1. After redistribution at (t-dt), we solve dummy water diffusion assuming $E_{soil} = E_{pot}^*$
2. If this keeps θ in $[\theta_r, \theta_s]$, we accept that soil moisture can sustain $E_{soil} = E_{pot}^*$
3. Else, we replace the previous step by dummy water diffusion assuming $\theta_1 = \theta_r$
4. The resulting θ_i allow to reconstruct Q_i , thus $Q_{up} = -Q_0 \leq E_{pot}^*$
5. $evap_bare_lim / frac_bare = Q_{up} / E_{pot}$ or $Q_{up} / 2E_{pot}$, depending if $\sum_1^4 W_i >$ or $<$ $\sum_1^4 W_w$
tmc_litter

- At the current timestep in diffuco:

$$\beta_4 = evap_bare_lim / frac_bare \quad E_{soil} = \beta_4 E_{pot}$$

$$\beta = vegtot(\beta_2 + \beta_3) + frac_bare \beta_4 \quad E = \beta E_{pot}$$

- At the current timestep in hydrol:

- If $P_0 > E_{soil}$, the infiltration phase works only on $P_0 - E_{soil} > 0$
- If $E_{soil} > P_0$, hydrol does not perform infiltration and soil moisture decreases
 $\theta_1 = \theta_1 - E_{soil} / h_1$

If this brings θ under θ_r , the moisture deficit is propagated downward (eventually to negative drainage)

Effective water diffusion

Thank you for your attention
Questions ?

