

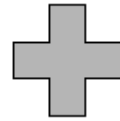
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# The new features in the trunk some above ground and some belowground

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Josefine, JEONG Jina, LANSO Anne Sofie, LUYSSAERT Sebastiaan,  
MAIGNAN Fabienne, MARIE Guillaume, McGRATH Matthew, NAUDTS Kim,  
OTTLE Catherine, OTTO Juliane, PEYLIN Philippe, RESOVSKY Alex, RYDER James,  
VALADE Aude, VUICHARD Nicolas, WANG-FAIVRE Xiaoni, etc...

# ORCHIDEE-CAN

(known as ORCHIDEE-DOFOCO on svn)



# ORCHIDEE-CN

N-version of ORCHIDEE updated with the trunk, June 2017



# ORCHIDEE-CN-CAN



# TRUNK

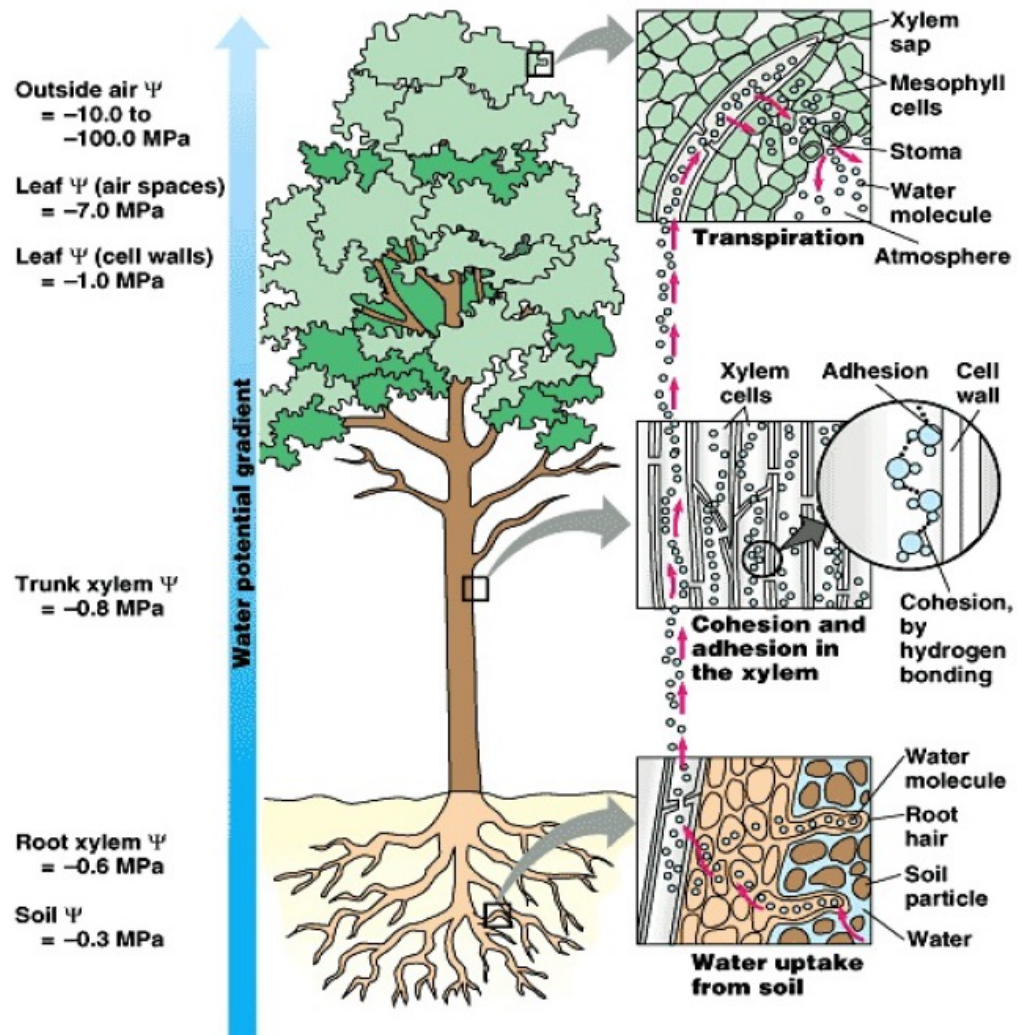
# SIMULATING THE CANOPY

## Pipe model theory

- Recognize how stomata is hydrological connected to the roots and the need to invest carbon in building roots and stem
- Allometric relationships, leaf to sapwood area ratio, relationship between diameter and height

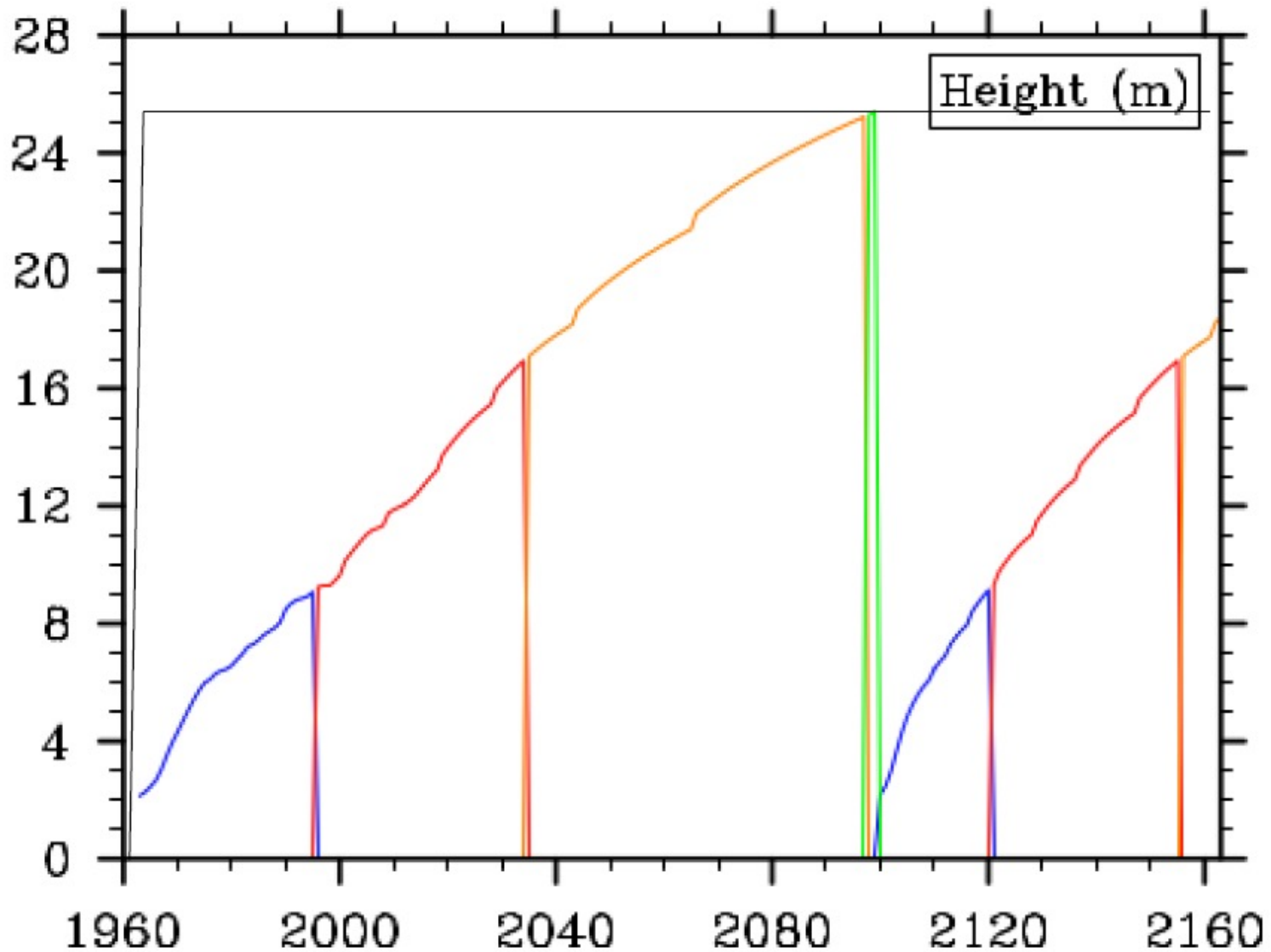
## Water stress

- Hydraulic architecture



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# SIMULATING THE CANOPY



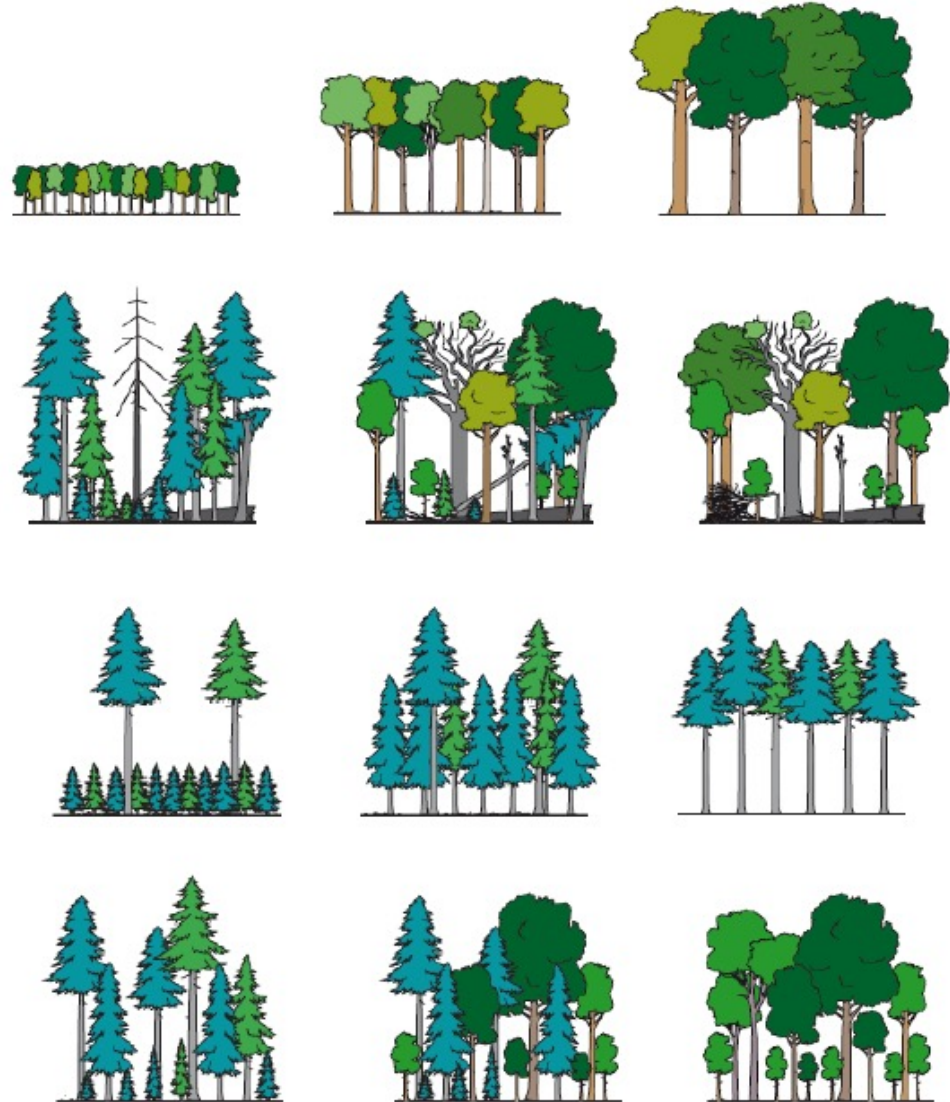
# SIMULATING THE CANOPY

Diameter classes and age classes are introduced

Number of PFTs depend on number of age classes

Each PFT has x numbers of diameter class

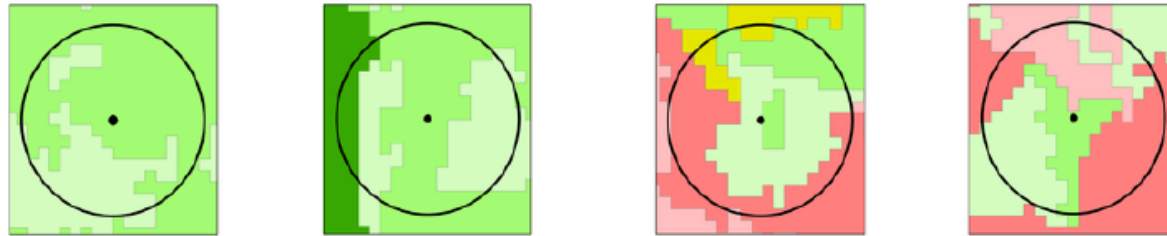
Each diameter class has x number of trees depending on basal area - self-thinning rule



# SIMULATING THE CANOPY

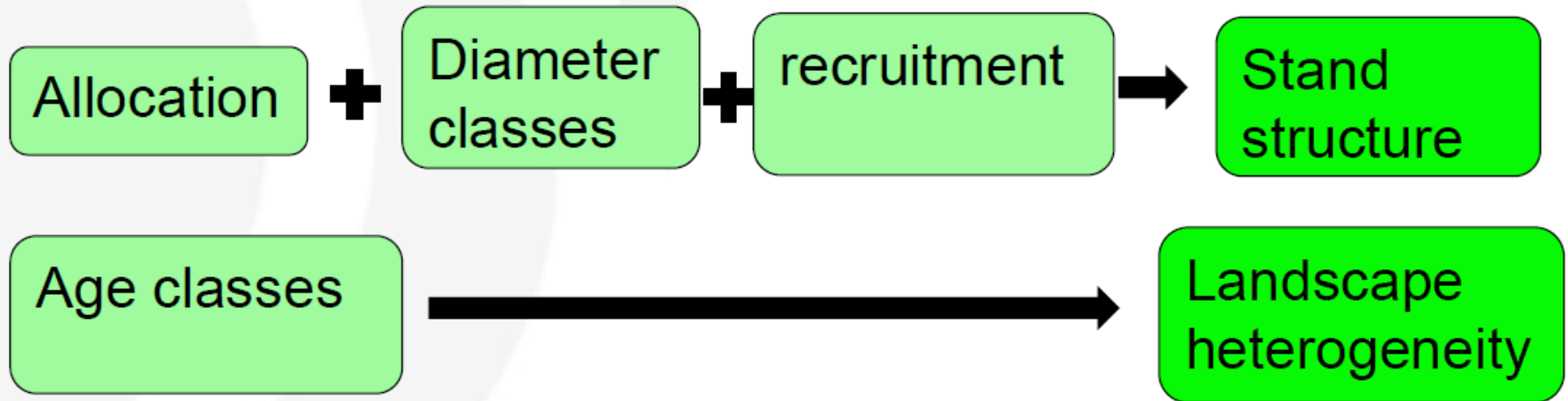


Stand structure



landscape heterogeneity

*Illustrations from  
Moreira et al 2015  
PLoS One*



# SIMULATING THE CANOPY

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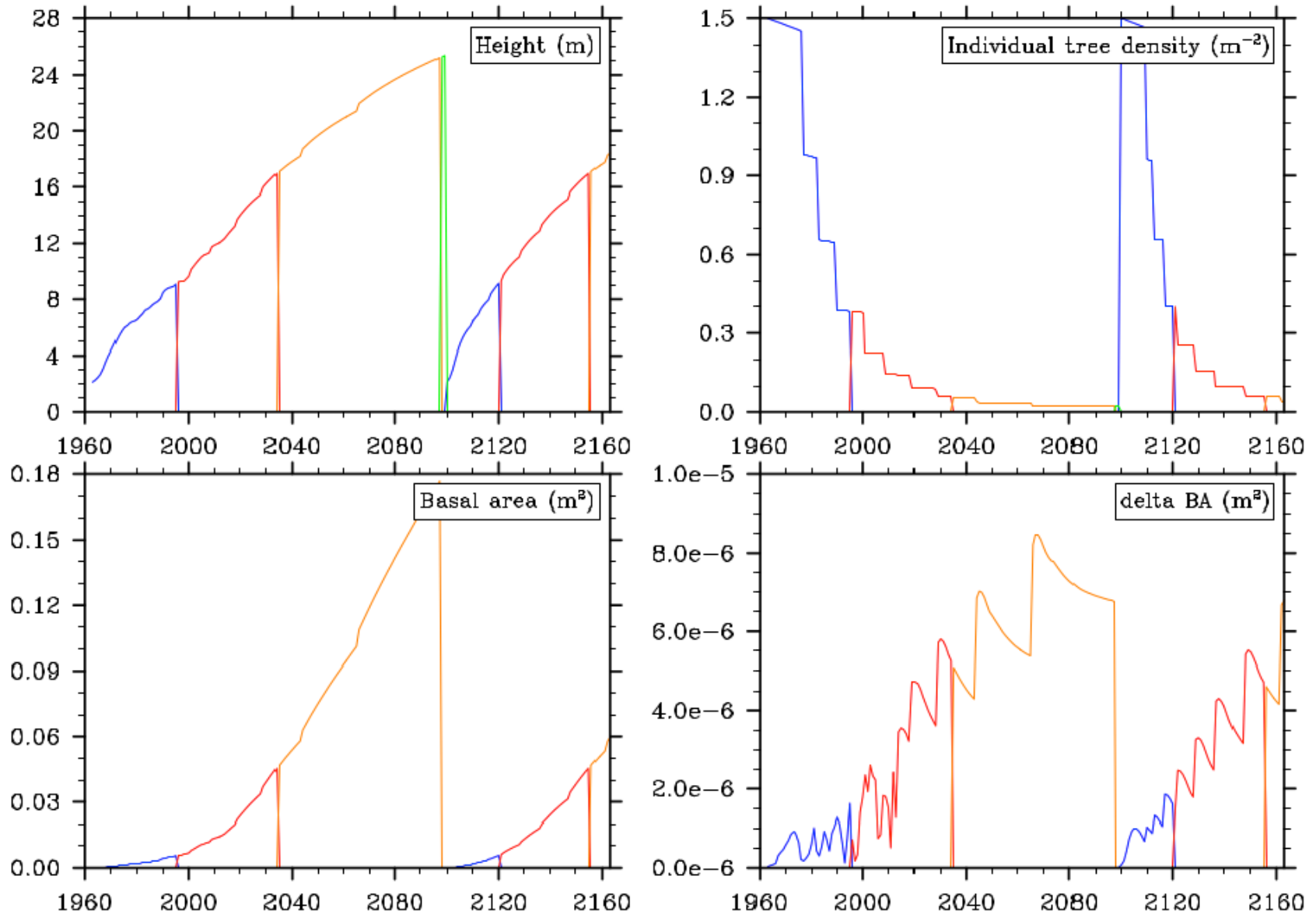
The trees are horizontally distributed following a Poisson distribution

The structured canopy allows for calculations of light penetration within the canopy.

Statistic approach to reduce memory allocation

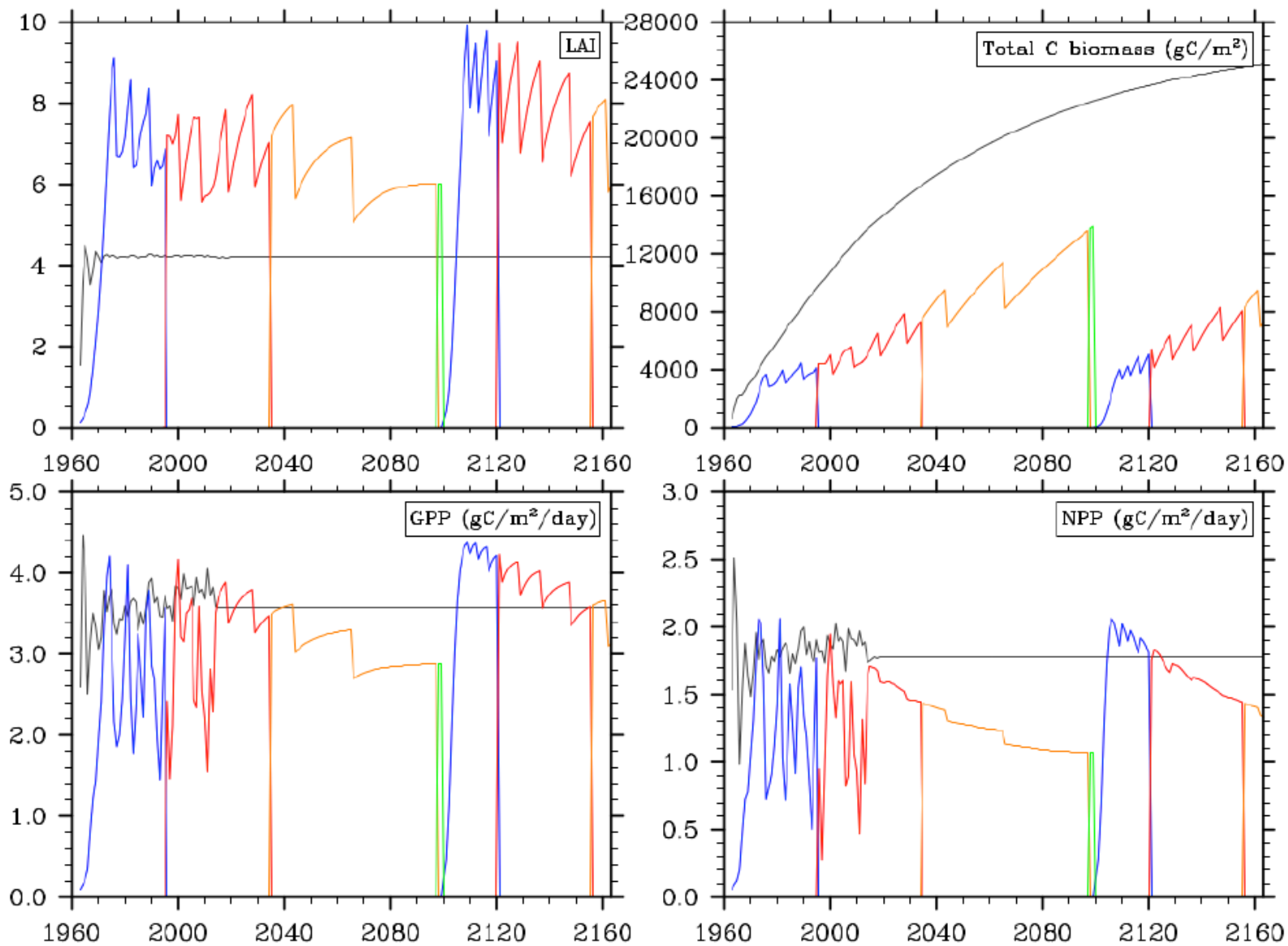


# ECOSYSTEM DYNAMIC





# ECOSYSTEM DYNAMIC

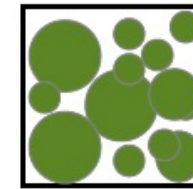
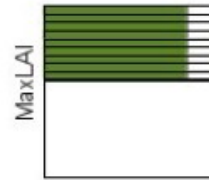
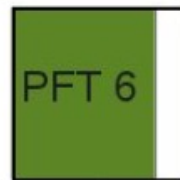


# ECOSYSTEM DYNAMIC

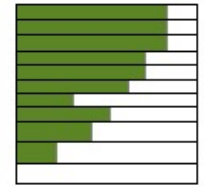
Real world



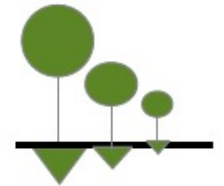
LAI & GPP



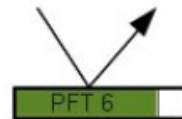
Height



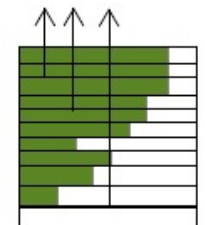
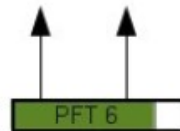
NPP & biomass



Albedo



Energy budget



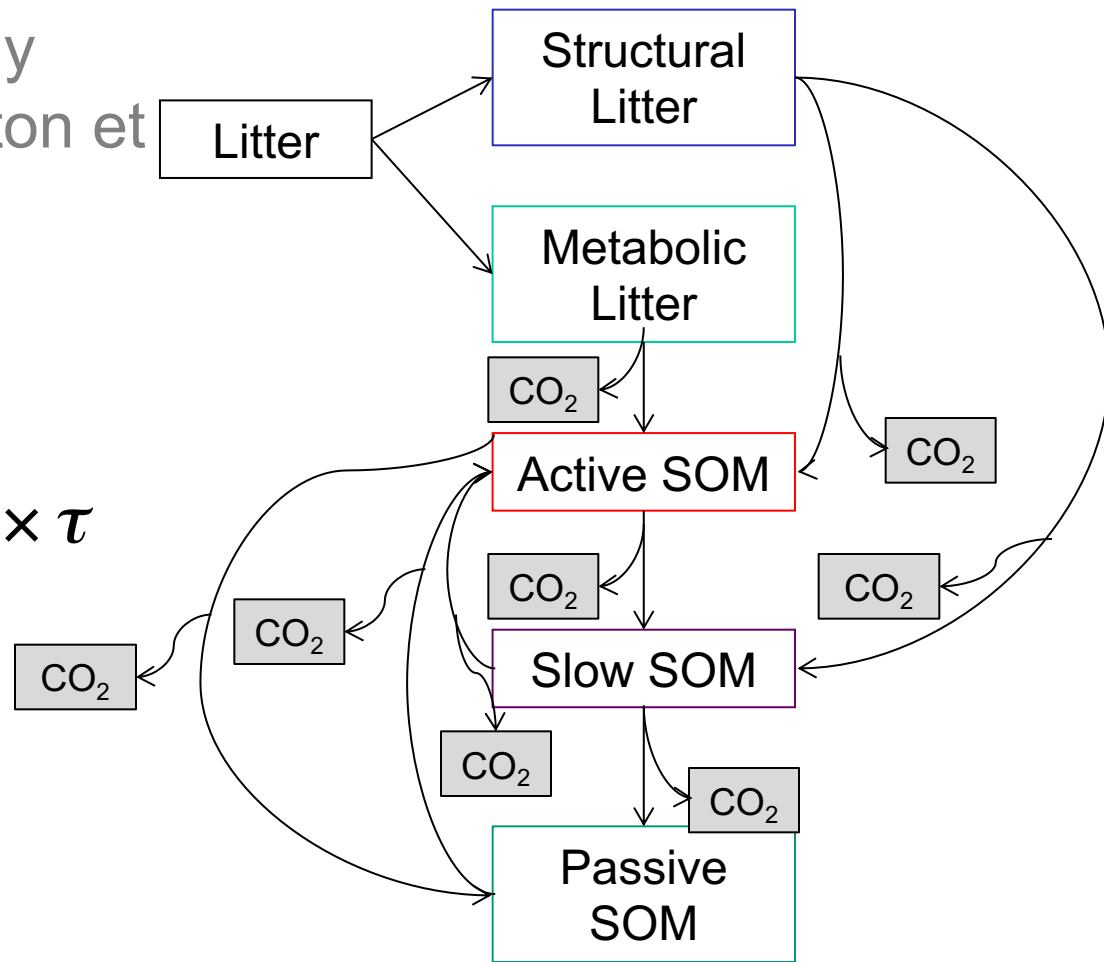
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# The soil biogeochemistry in ORCHIDEE

# THE SOIL C IN ORCHIDEE

- Soil representation mainly based on CENTURY (Parton et al., 1987).

$$\frac{\partial SOC}{\partial t} = I - k \times SOC \times \theta \times \tau$$



# THE SOIL C IN ORCHIDEE

---

- Split between stomate\_litter.f90 and stomate\_soilcarbon.f90
- Run at ½ hourly time-step whereas stomate runs at daily time-step.
- Moisture and temperature function calculated in stomate\_litter.f90

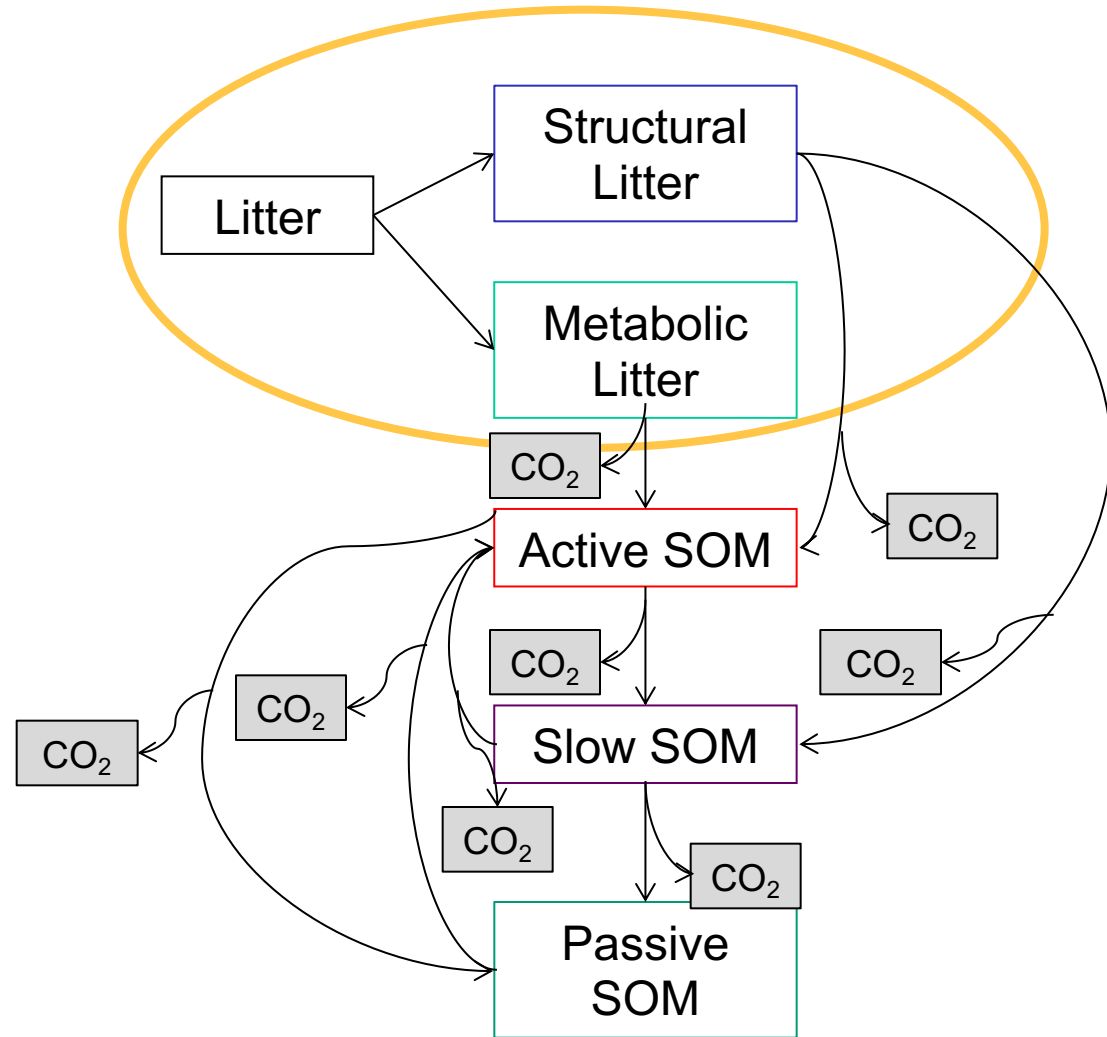
$$\tau = Q_{10}^{(T - T_{opt})/10}$$

$$\theta = \text{Max}(0.25, \text{Min}(1, M))$$

$$M = -1.1 * SM^2 + 2.4 * SM - 0.29$$

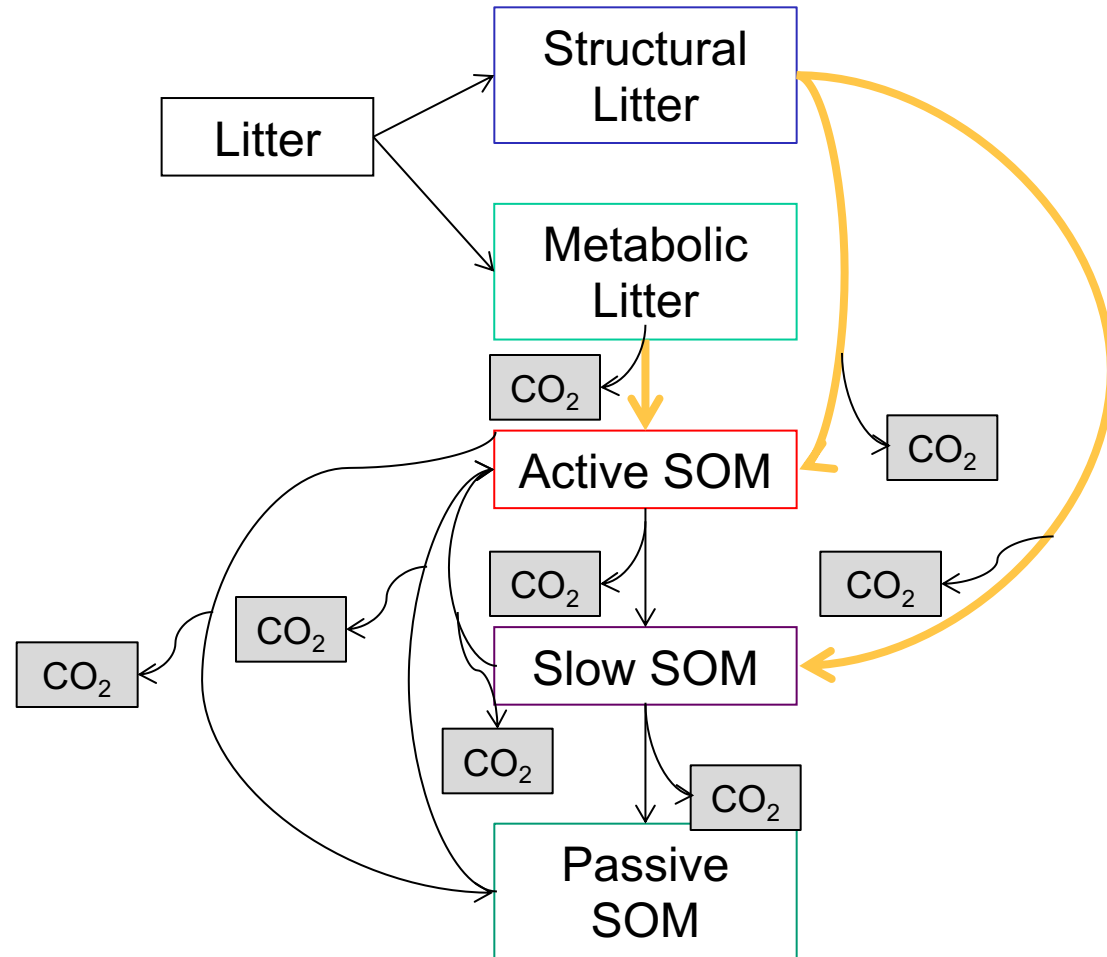
# THE SOIL C IN ORCHIDEE

- Input from plants through *bm\_to\_litter* and *turnover*
- Split between above and below ground
- Split into two pools: metabolic/structural depending on lignin and N content of the litter.



# THE SOIL C IN ORCHIDEE

- Inputs from litter decomposition in *soilcarbon\_input*
- Distributed into the active and slow pools control by the lignin content.

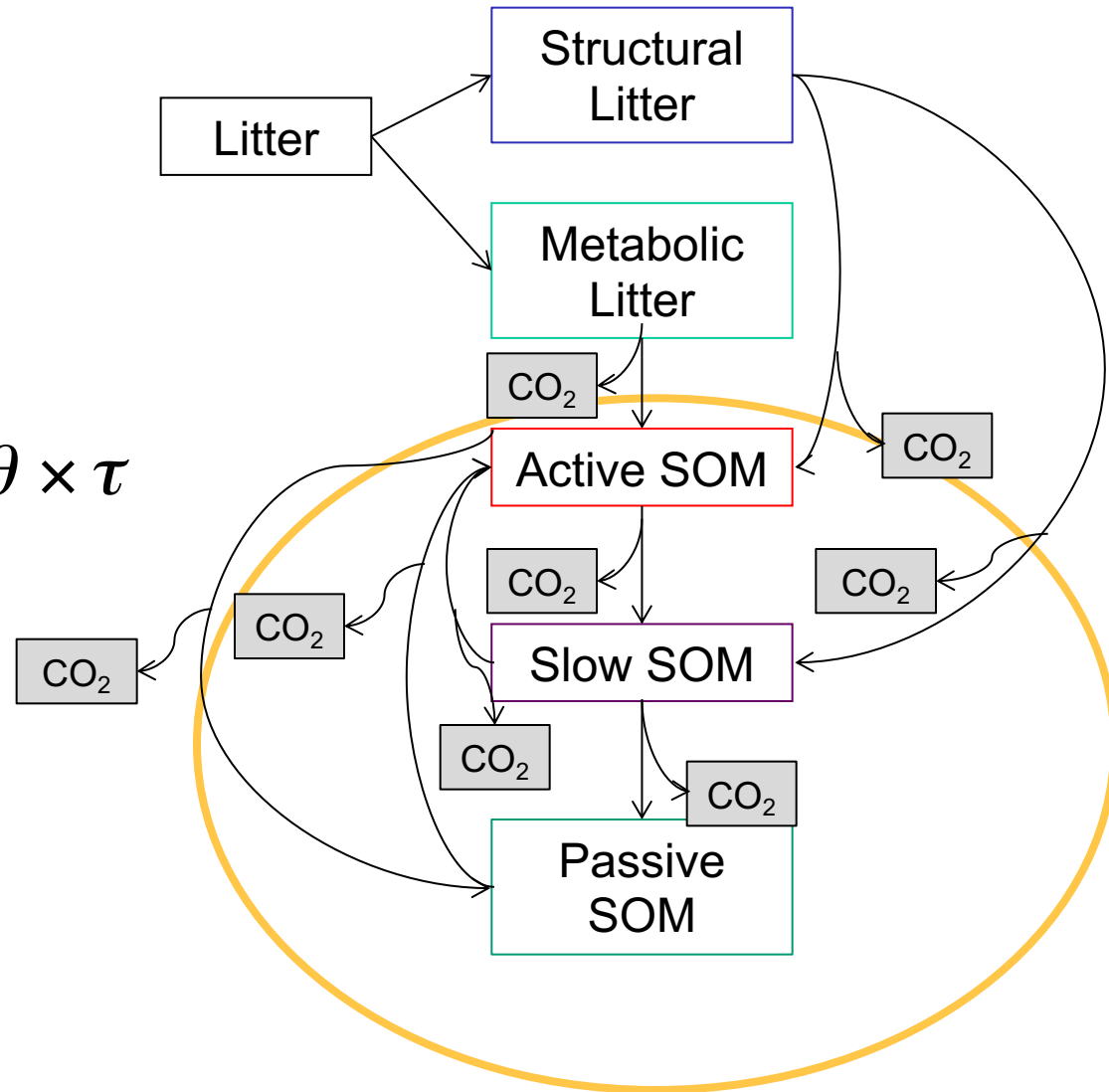


# THE SOIL C IN ORCHIDEE

- Decomposition following 1<sup>st</sup> order kinetics.

$$\frac{\partial SOC}{\partial t} = I - k \times SOC \times \theta \times \tau$$

- A fraction of C decomposed is respired the 1-resp is distributed in the other pools.



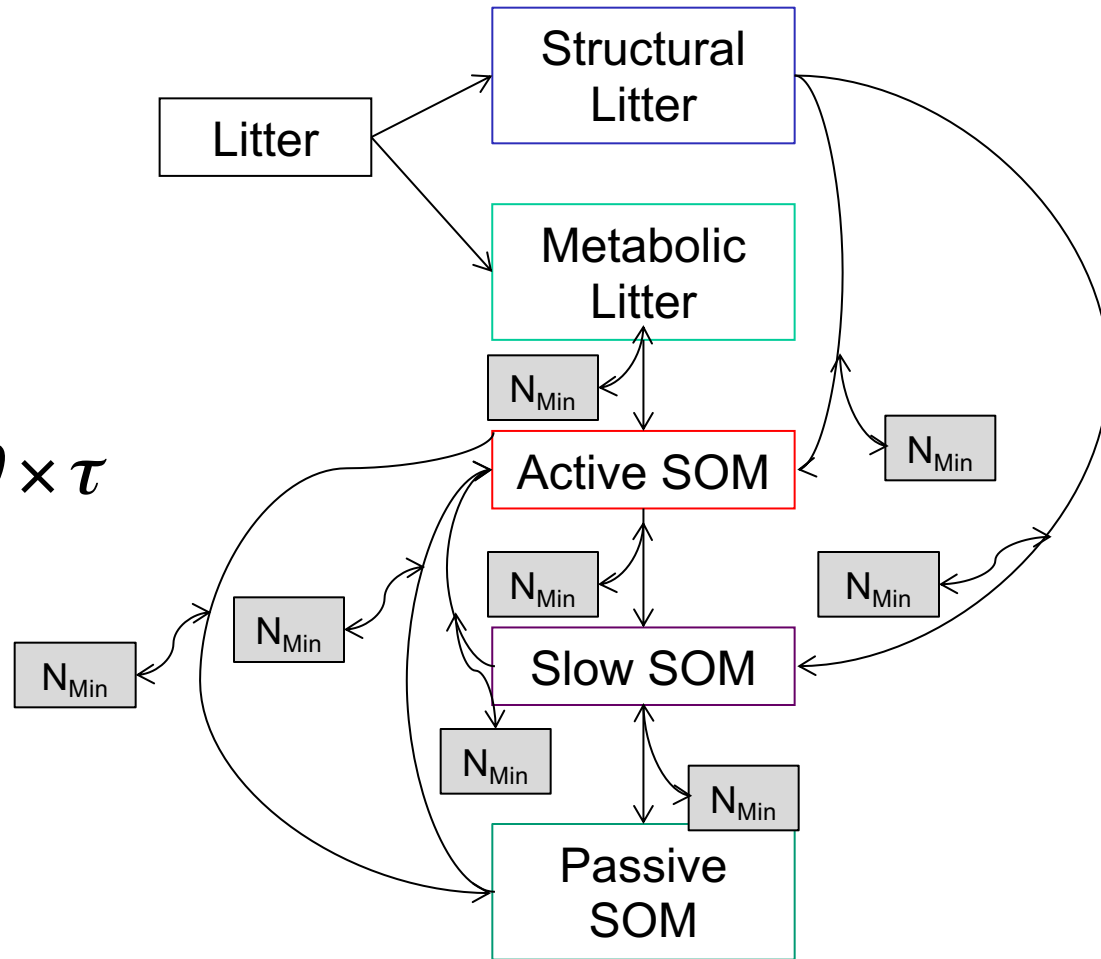


# THE SOIL N IN ORCHIDEE

- Decomposition following 1<sup>st</sup> order kinetics.

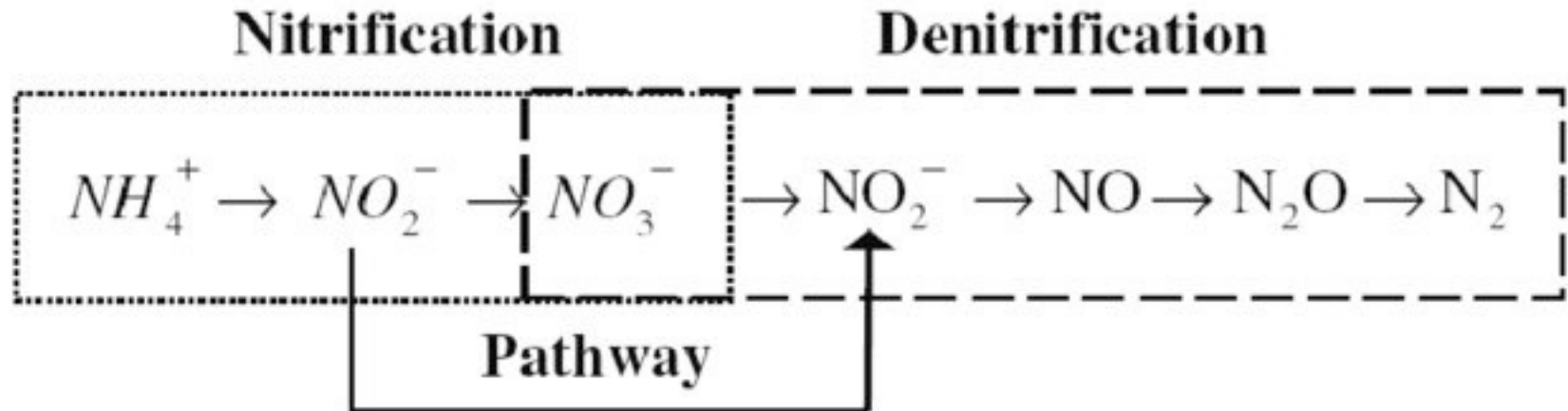
$$\frac{\partial SON}{\partial t} = I - k \times SON \times \theta \times \tau$$

- The flux of N from one pool to another must satisfy the CN<sub>target</sub> of the receiving pools



# HOW THE NITRIFICATION/DENITRIFICATION PROCESSES ARE REPRESENTED

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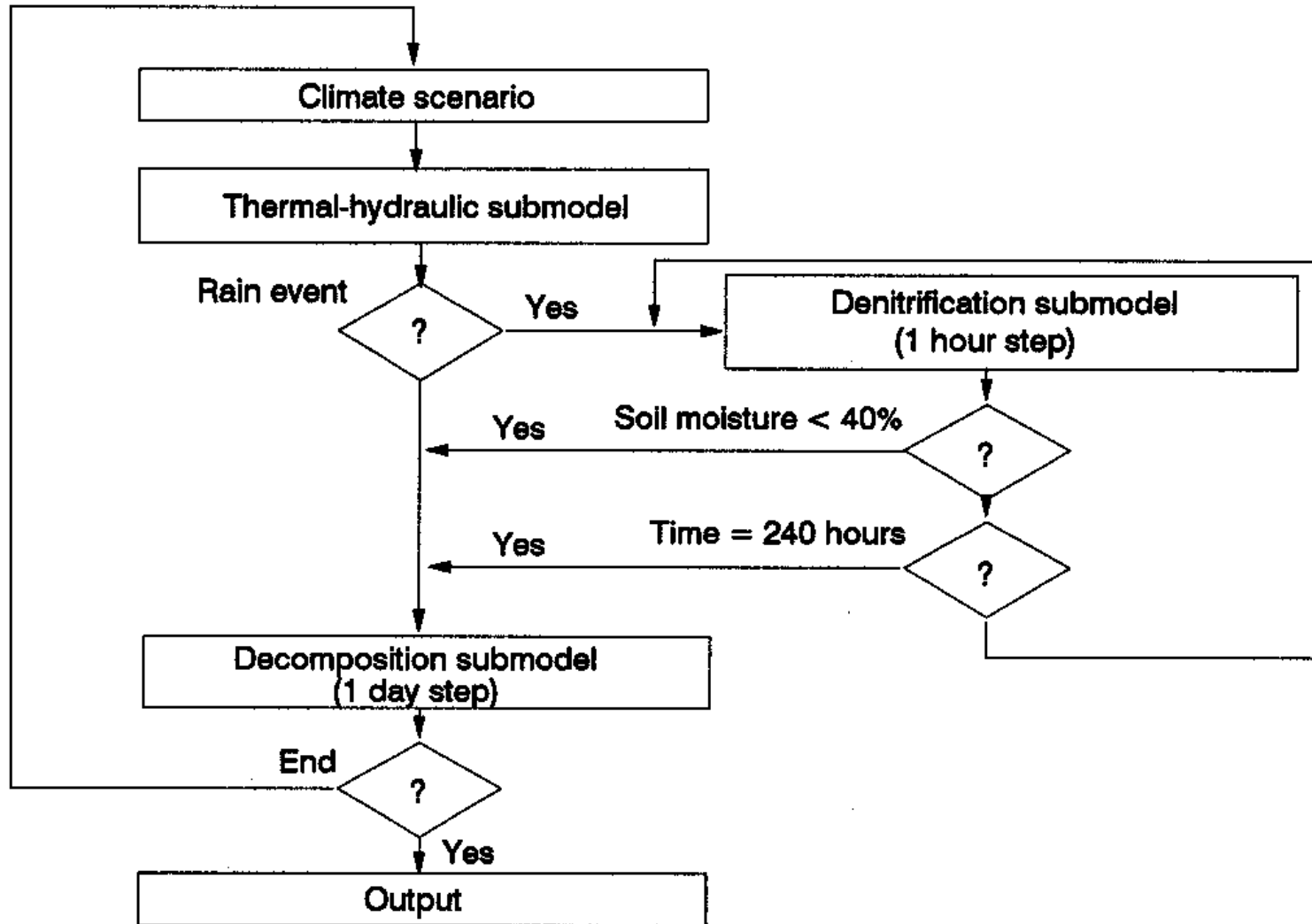
Peng and Zhu (2006)

# HOW THE NITRIFICATION/DENITRIFICATION PROCESSES ARE REPRESENTED

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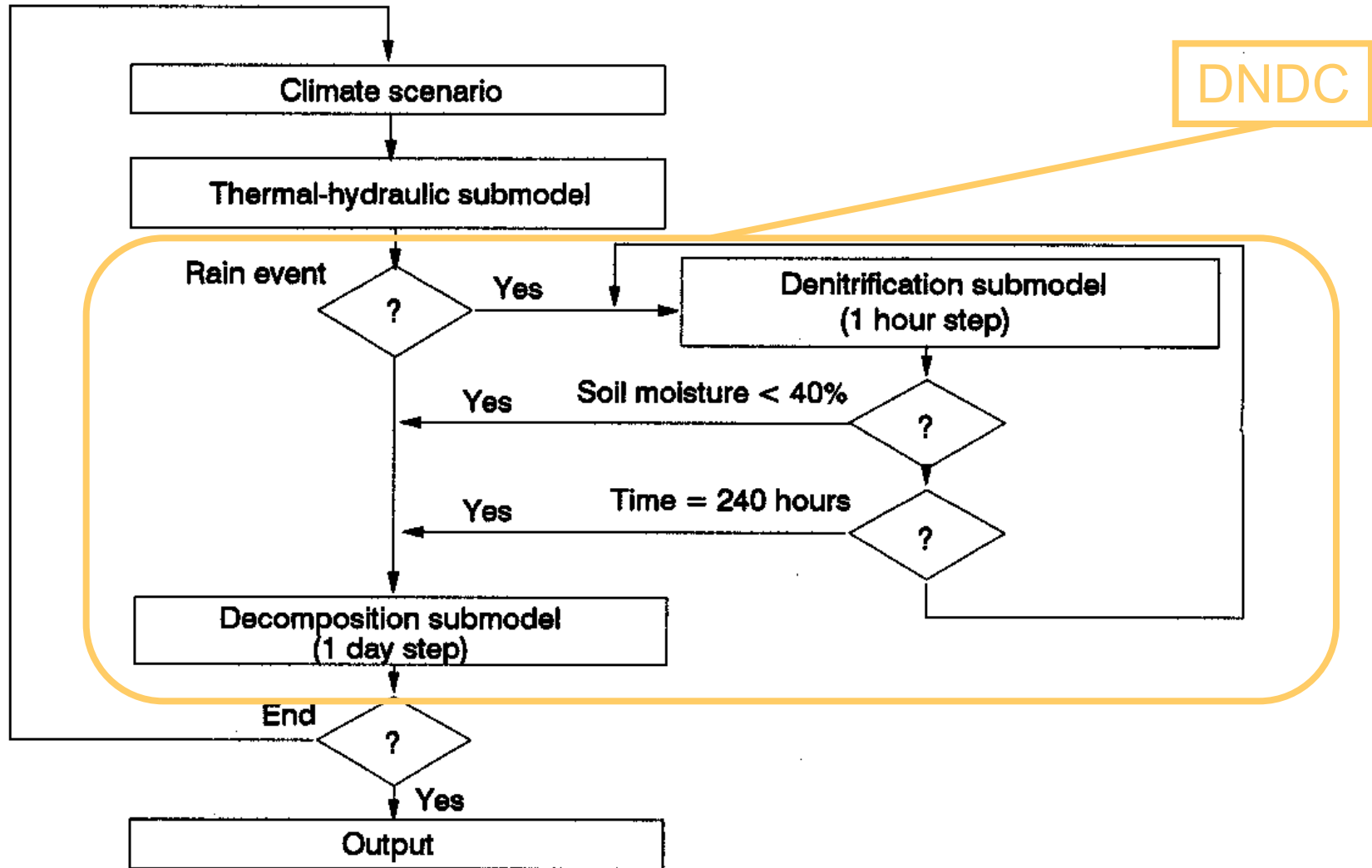
- Key point -> N outputs fluxes & GHG production
- DNDC is an old model based on Li et al. 1992.
- Design to represent denitrification and decomposition.
- In ORCHIDEE, only the N-related aspects are used but in a simplified way.

# ORIGINAL DNDC



Li et al., (1992)

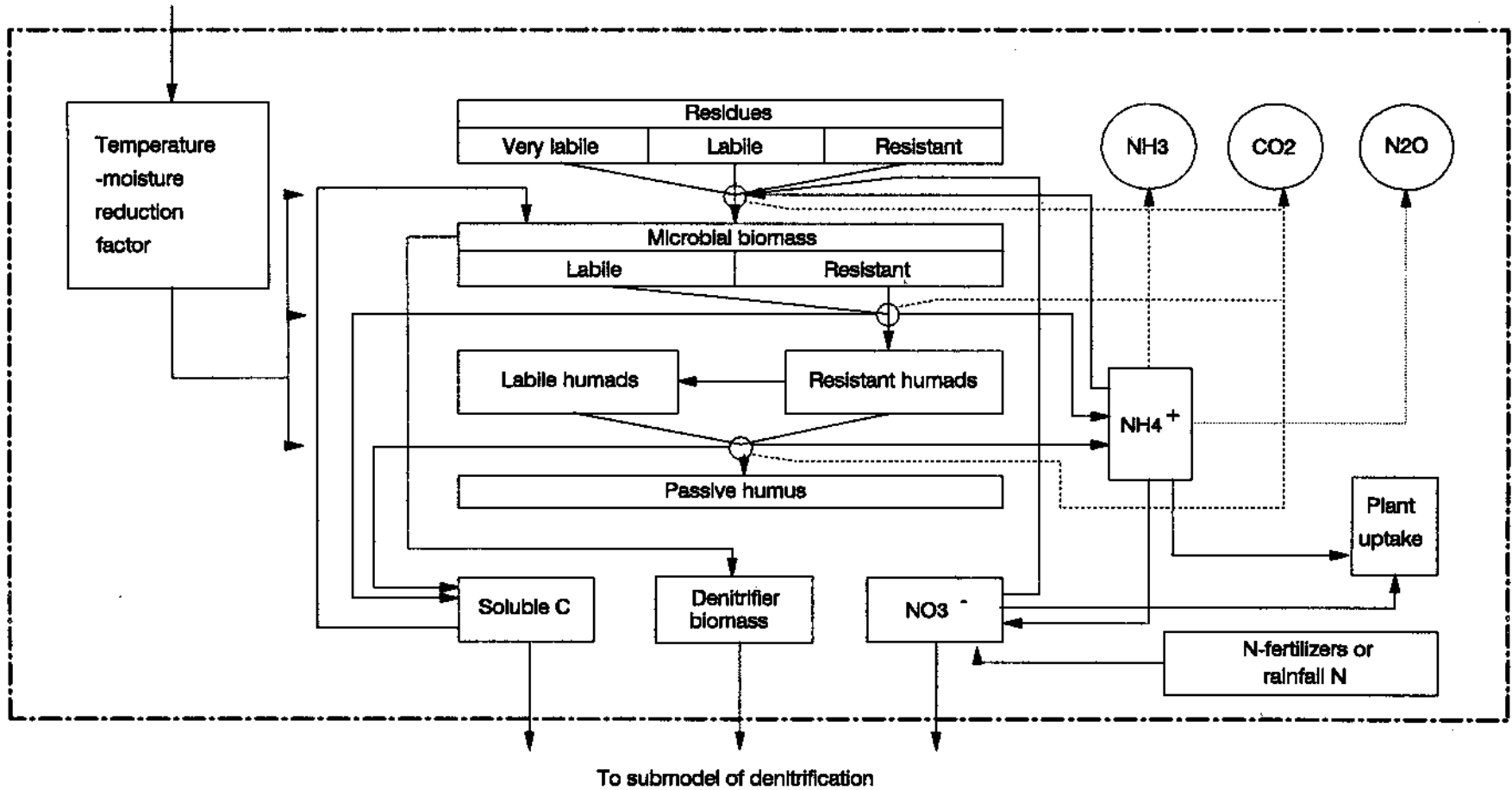
# ORIGINAL DNDC



Li et al., (1992)

# ORIGINAL DNDC

Soil temperature & moisture  
from submodel of thermal-  
hydraulic flow

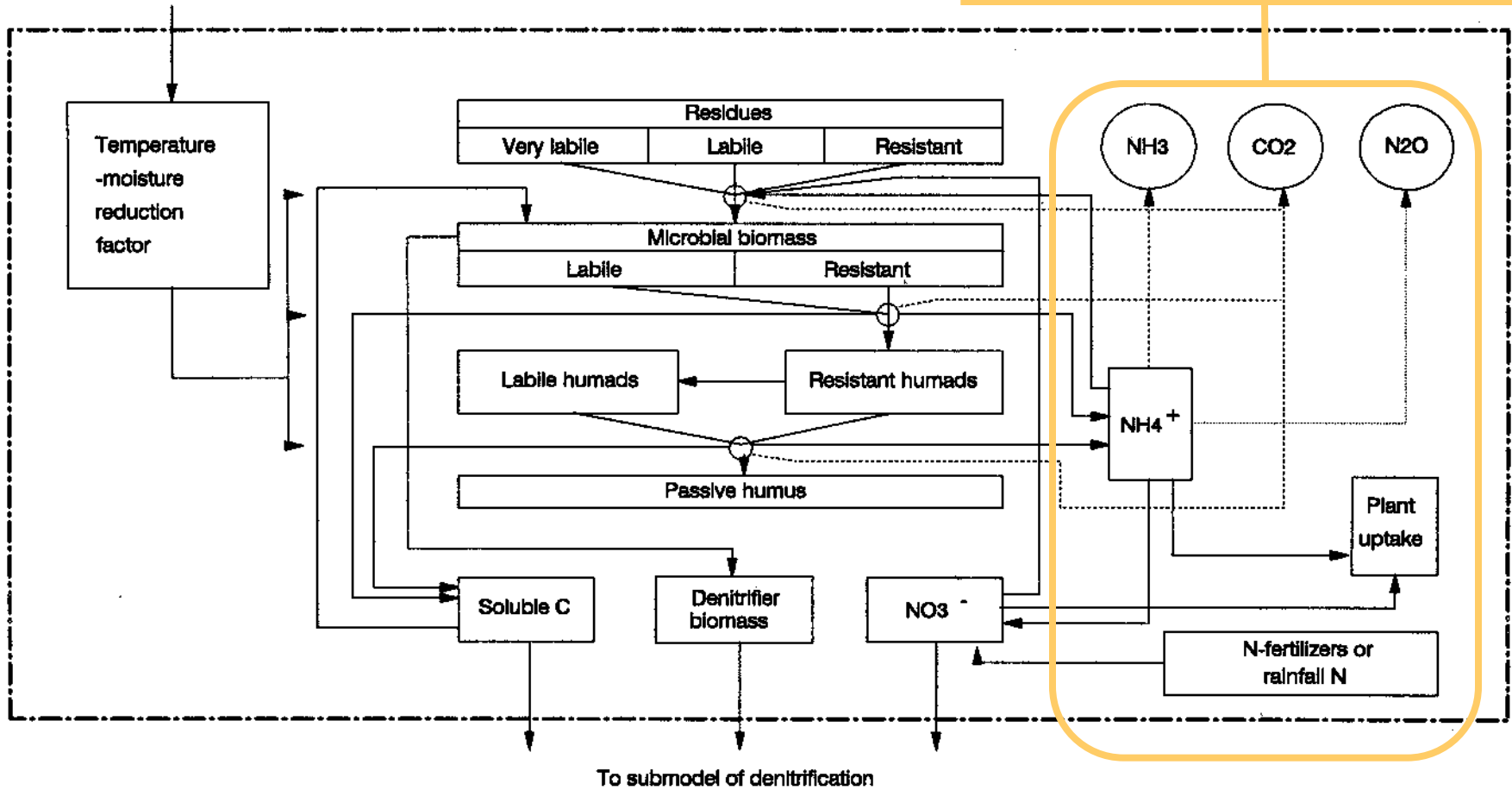


Li et al., (1992)

# ORIGINAL DNDC

Soil temperature & moisture  
from submodel of thermal-  
hydraulic flow

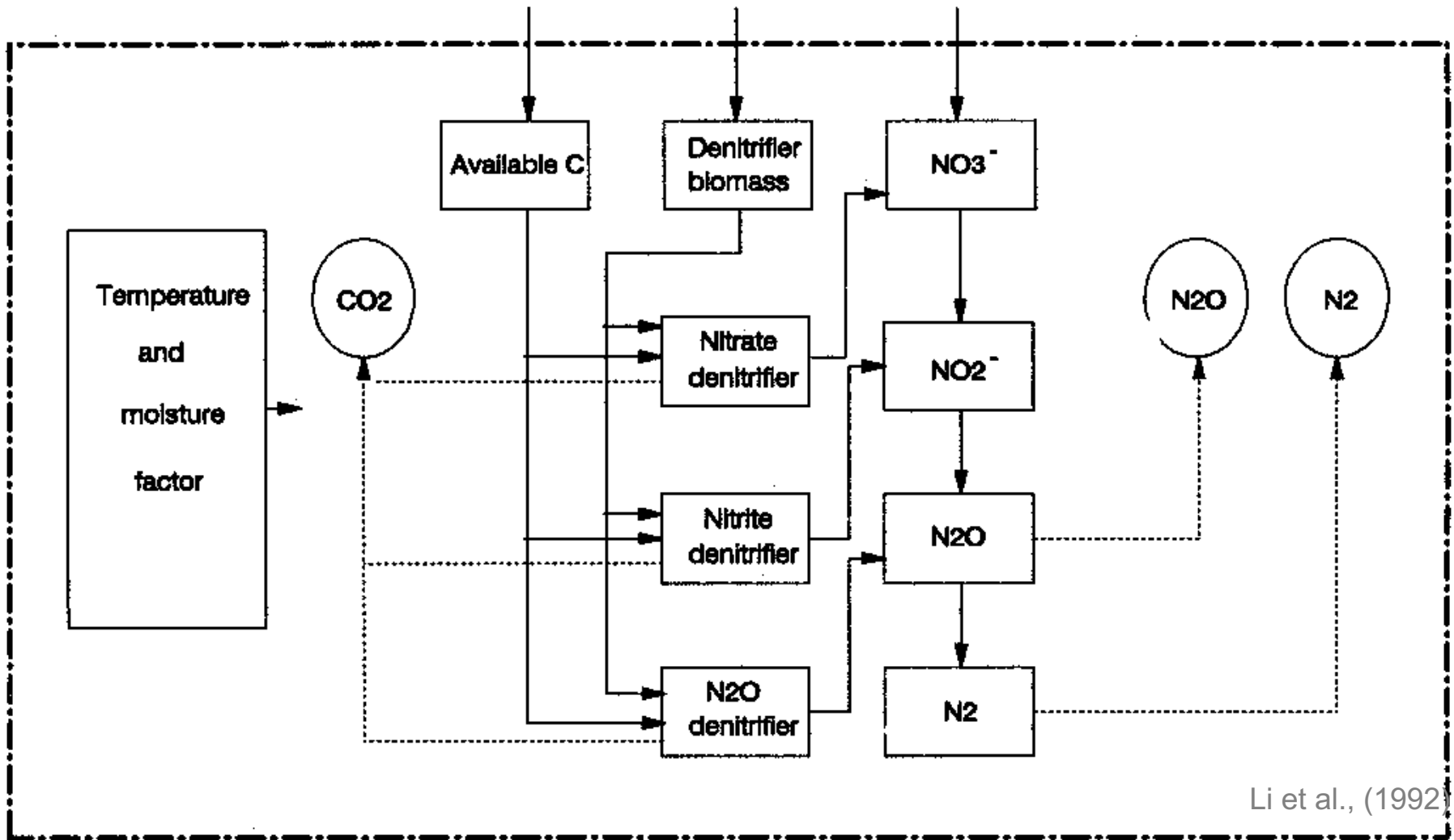
USED IN ORCHIDEE



Li et al., (1992)

# ORIGINAL DNDC

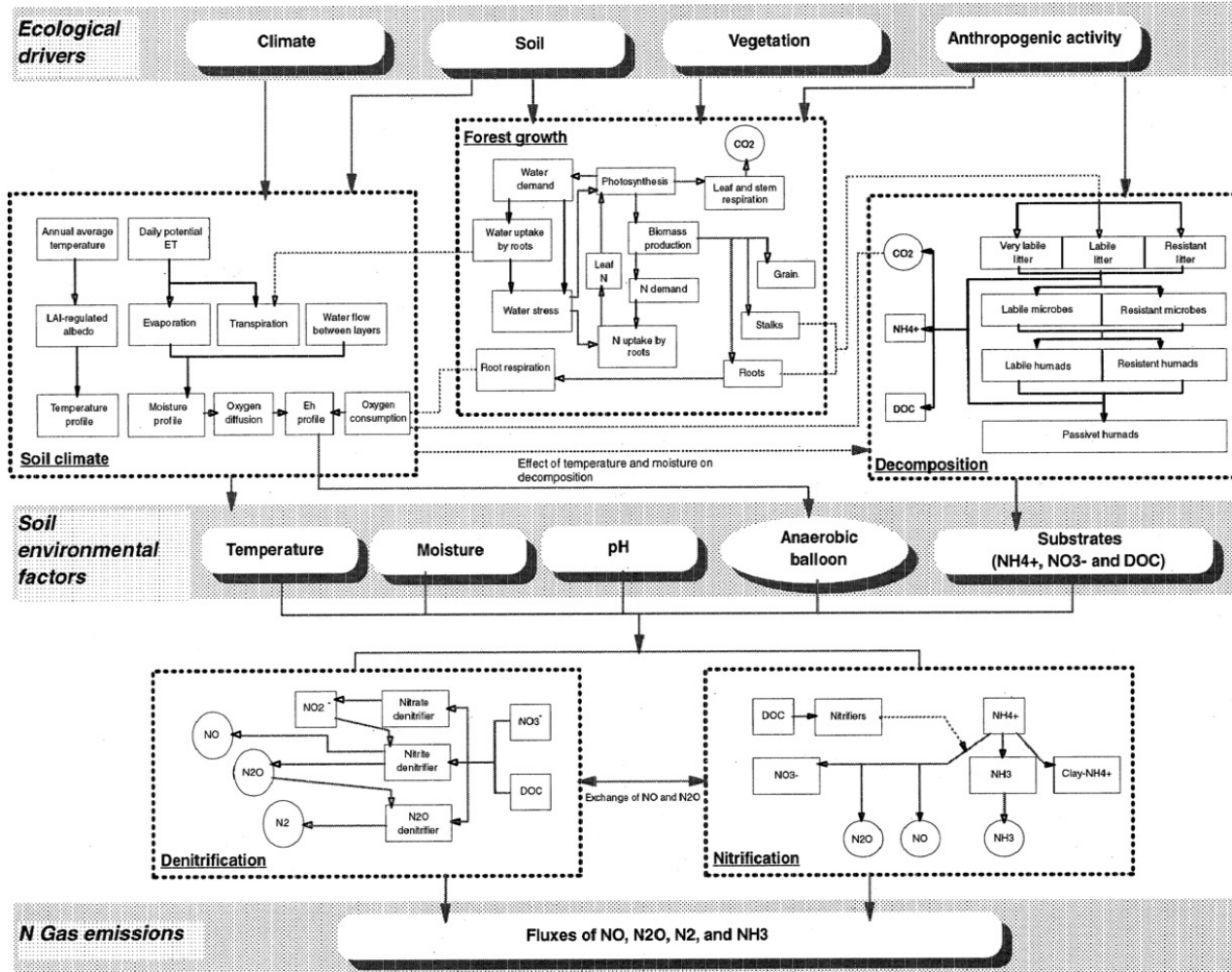
From submodel of decomposition





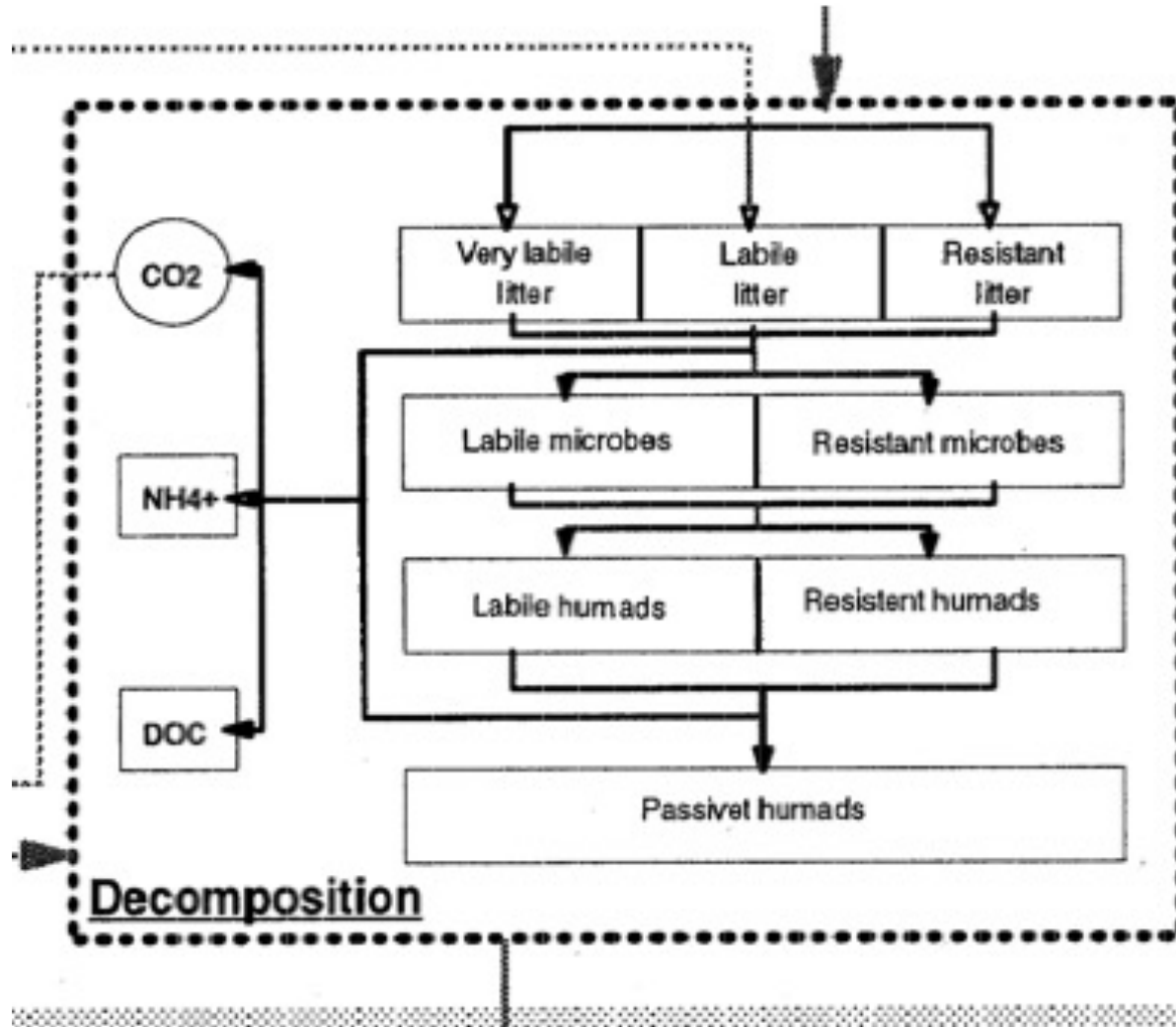
# IMPROVED DNDC

The PnET-N-DNDC Model



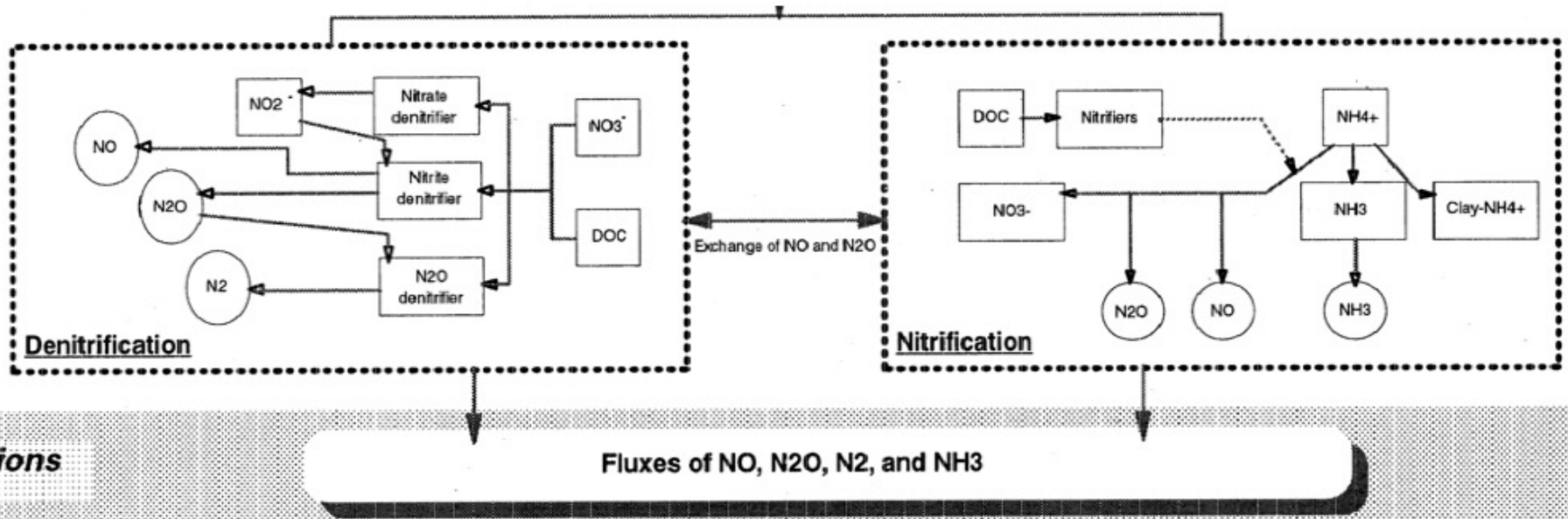
Li et al., (2000)

# IMPROVED DNDC



Li et al., (2000)

# IMPROVED DNDC

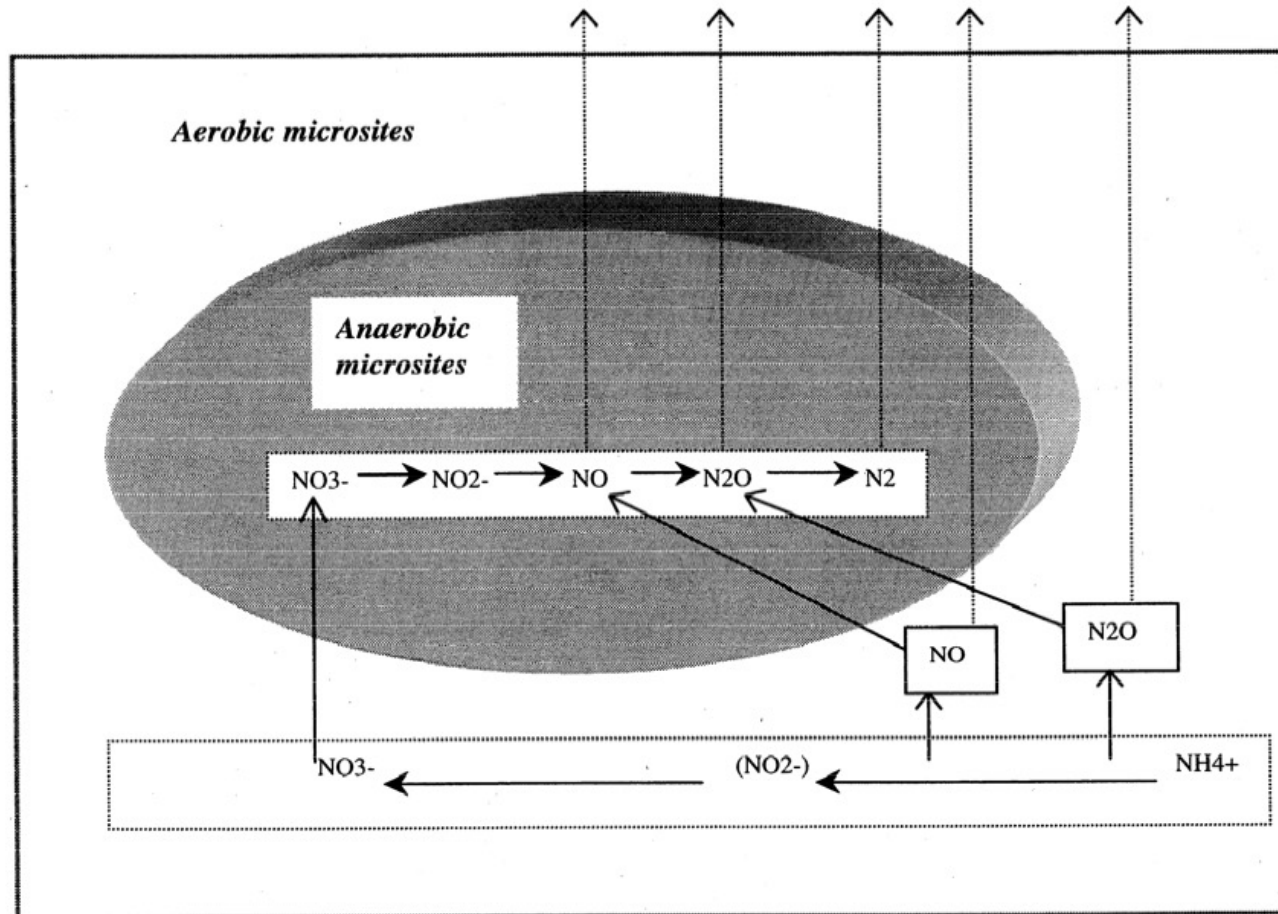


missions

Li et al., (2000)

# THE ANAEROBIC BALLOON CONCEPT

An "Anaerobic Balloon" in Soil Matrix



Li et al., (2000)

# THE ANAEROBIC BALLOON CONCEPT

**Table 2.** Functions and Parameters for O<sub>2</sub> Diffusion and Volumetric Fraction of Anaerobic Microsites (ANVF)

Equation No.	Function	Equation
1	oxygen diffusion coefficient in soil	$D_{s[L]} = D_{air} \text{afps}_{[L]}^{3.33} / \text{afps}_{\text{max}[L]}^{2.0};$
2	oxygen diffusion rate affected by frost	$D_{s[L]} = D_{s[L]} F_{\text{frost}}; 0 < D_{s[L]} < 1$ if $T > 0 \text{ } ^\circ\text{C}, F_{\text{frost}} = 1.2;$ if $T \leq 0 \text{ } ^\circ\text{C}, F_{\text{frost}} = 0.8;$ $D_{s[L]} = D_{s[L]} F_{\text{frost}}; 0 < D_{s[L]} < 1$ if $T > 0 \text{ } ^\circ\text{C}, F_{\text{frost}} = 1.2;$ if $T \leq 0 \text{ } ^\circ\text{C}, F_{\text{frost}} = 0.8;$
3	oxygen partial pressure	$d(pO_{2[L]})/dt = (d(D_{s[L]}) d(pO_{2[L]})/dz)/dz - R)/\text{afps};$
4	Volumetric fraction of anaerobic microsites	$\text{anvf}_{[L]} = a (1 - (b pO_{2[L]} / pO_{2\text{air}}));$

a, b, constant coefficients; afps, air-filled porosity; afps<sub>max</sub>, porosity; anvf, volumetric fraction of anaerobic microsites; D<sub>air</sub>, oxygen diffusion rate in the air, 0.07236 m<sup>2</sup>/h [Beisecker, 1994]; D<sub>s</sub>, oxygen diffusion coefficient in soil; F<sub>frost</sub>, frost factor; L, layer number; pO<sub>2</sub>, oxygen partial pressure; R, oxygen consumption rate (kg C ha<sup>-1</sup>h<sup>-1</sup>); t, time (h); z, soil depth (m).

Li et al., (2000)

# THE EQUATIONS

**Table 3.** Functions and Parameters for Nitrification

Equation No.	Function	Equation
1	relative growth rate of nitrifiers	$\mu_g = \mu_{MAX} ((DOC) / (1 + [DOC]) + F_m / (1 + F_m));$
2	relative death rate of nitrifiers	$\mu_d = a_{MAX} B_n / (5 + [DOC]) / (1 + F_m);$
3	net increase in nitrifiers biomass	$\mu_b = (\mu_g - \mu_d) B_n F_t F_m;$
4	nitrification rate	$R_n = R_{max} [NH4] B_n pH;$
5	temperature factor	$F_t = ((60-T) / 25.78)^{3.503} e^{(3.503 (T-34.22) / 25.78)};$
6	moisture factor	if wfps > 0.05 $F_m = 1.01 - 0.21 wfps;$ if wfps <= 0.05 $F_m = 0;$
7	NO production from nitrification	$NO = .0025 R_n F_t;$
8	N <sub>2</sub> O production from nitrification	$N_2O = 0.0006 R_n F_t wfps;$

$a_{MAX}$ , maximum death rate for nitrifiers (1.44 1/d [from *Blagodatsky and Richter, 1998*]);  $B_n$ , biomass of nitrifiers (kg C/ha); [DOC], concentration of dissolved organic C (kg C/ha);  $F_m$ , moisture factor;  $F_t$ , temperature factor; [NH4], concentration of ammonium (kg N/ha); NO, NO production from nitrification; N<sub>2</sub>O, N<sub>2</sub>O production from nitrification [*Ingwersen et al., 1999*]; pH, soil pH;  $R_n$ , nitrification rate;  $R_{max}$ , maximum nitrification rate (1/h); T, soil temperature (°C); wfps, water-filled porosity;  $\mu_{MAX}$ , maximum growth rate for nitrifiers (4.87 1/d [from *Blagodatsky and Richter, 1998*]);  $\mu_b$ , net increase in nitrifiers biomass;  $\mu_d$ , relative death rate of nitrifiers;  $\mu_g$ , relative growth rate of nitrifiers.

Li et al., (2000)

# THE EQUATIONS

**Table 4.** Functions and Parameters for Denitrification

Equation No.	Function	Equation
1	relative growth rate of Nox denitrifiers	$\mu_{NOx} = \mu_{NOx(max)} [DOC]/(Kc+[DOC]) [No_x]/(Kn+[NO_x]);$
2	relative growth rate of total denitrifiers	$\mu_g = F_t (\mu_{NO_3} F_{PH1} + \mu_{NO_2} F_{PH2} + \mu_{NO} F_{PH2} + \mu_{N_2O} F_{PH3});$ $F_t = 2^{((T-22.5)/10)};$ $F_{PH1} = 1 - 1 / (1 + e^{(pH-4.25/0.5)});$ $F_{PH2} = 1 - 1 / (1 + e^{(pH-5.25/1.0)});$ $F_{PH3} = 1 - 1 / (1 + e^{(pH-6.25/1.5)});$
3	denitrifier growth rate, death rate, and consumption rate of soluble carbon	$R_g = \mu_g B_d;$ $R_d = M_c Y_c B_d;$ $R_C = (\mu_g / Y_c + M_c) B_d;$
4	consumption rates of N oxides	$R_{NOx} = (\mu_{NOx} / Y_{NOx} + M_{NOx} [No_x]/[N]) B_d;$
5	nitrogen assimilation rate	$q_N = R_g / CN;$
6	gas diffusion factor	$v = D_{max} afps (1 - anv) F_{clay} 2^{T/20};$ $F_{clay} = 0.13 - 0.079 \text{ clay};$

afps, air-filled porosity; anv, volumetric fraction of anaerobic microsites;  $B_d$ , denitrifier biomass (kg C/m<sup>3</sup>); clay, clay fraction in the soil; CN, C/N ratio in denitrifiers (3.45 [Van Verseveld and Stouthamer 1978]);  $D_c$ , consumption rate of soluble carbon by denitrifiers (kg C m<sup>-3</sup>h<sup>-1</sup>);  $D_{max}$ , maximum diffusion rate in air (m<sup>2</sup>/h);  $D_{NOx}$ , consumption rate of N oxides by denitrifiers (kg C m<sup>-3</sup>h<sup>-1</sup>); [DOC], soluble C concentration (kg C/m<sup>3</sup>);  $F_{clay}$ , clay factor;  $F_t$ , temperature factor;  $F_{PH1}$ , pH factors for NO<sub>3</sub><sup>-</sup> denitrifiers;  $F_{PH2}$ , pH factors for NO<sub>2</sub><sup>-</sup> and NO denitrifiers;  $F_{PH3}$ , pH factors for N<sub>2</sub>O denitrifiers; Kc, half-saturation value of soluble carbon (0.017 kg C/m<sup>3</sup> [Shan and Coulman, 1978]); Kn, half-saturation value of N oxides (0.083 kg N/m<sup>3</sup> [Shan and Coulman, 1978]);  $M_c$ , maintenance coefficient on carbon (0.0076 kg N kg<sup>-1</sup>h<sup>-1</sup> [Van Verseveld et al., 1977]); [N], concentration of all NO<sub>x</sub> (kg N/ m<sup>3</sup>); [No<sub>x</sub>], concentration of for NO<sub>3</sub><sup>-</sup>, NO<sub>2</sub><sup>-</sup>, NO and N<sub>2</sub>O (kg N/m<sup>3</sup>); pH, soil pH;  $q_n$ , nitrogen assimilation rate (kg N ha<sup>-1</sup>h<sup>-1</sup>); T, soil temperature (°C); v, gas diffusion factor (%);  $Y_c$ , maximum growth rate of denitrifiers on soluble carbon (0.503 kg C/kg C [Van Verseveld et al., 1977]);  $M_{NOx}$ , maintenance coefficient on N oxides (0.09, 0.035 and 0.079 kg N/kg/ for NO<sub>3</sub><sup>-</sup>, NO<sub>2</sub><sup>-</sup> (+NO\*) and N<sub>2</sub>O, respectively, based on Van Verseveld et al. [1977]);  $R_d$ , denitrifier death rate;  $R_g$ , denitrifier growth rate;  $Y_{NOx}$ , maximum growth rate on N oxides (0.401, 0.428 and 0.151 kg C/kg N for NO<sub>3</sub><sup>-</sup>, NO<sub>2</sub><sup>-</sup> (+NO\*) and N<sub>2</sub>O, respectively, based on Van Verseveld et al. [1977]);  $\mu_g$ , relative growth rate of total denitrifiers (1/h);  $\mu_{NO_3}$ ,  $\mu_{NO_2}$ ,  $\mu_{NO}$ ,  $\mu_{N_2O}$ , relative growth rate of NO<sub>3</sub><sup>-</sup>, NO<sub>2</sub><sup>-</sup>, NO-, and N<sub>2</sub>O denitrifiers;  $\mu_{NOx}$ , relative growth rate of NO<sub>x</sub> denitrifiers (1/h);  $\mu_{NOx(max)}$ , maximum growth rates (0.67 1/h for NO<sub>3</sub><sup>-</sup>, NO<sub>2</sub><sup>-</sup> denitrifiers, and 0.34 1/h for NO and N<sub>2</sub>O denitrifiers, based on Hartel and Alexander [1987]). The parameters are shared by NO<sub>2</sub><sup>-</sup> and NO due to the lack of data for NO.

Li et al., (2000)

# WHAT IS DONE IN ORCHIDEE

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- Implemented by Zaehle et al., (2010)
- At that time, no DOC and no soil C discretization.
- Active C pools used instead of DOC.
- Gas diffusion is calculated using a fixed soil depth value of 20cm.
- Several parameters tuned.
- With Nicolas, we decided to let the original parameter values.



# A NEW SOIL SCHEME FROM THE MICT BRANCH

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- For CMIP6, some LSMs will have permafrost C, explicit N cycle and perhaps both
- All the necessary piece of code exist within the « orchidee environment »
- Opportunity to benefit from the huge effort done in the MICT branch by many colleagues (Dan Zhu, Philippe Ciais, Matthieu Guimberteau, Charlie Koven, ...)

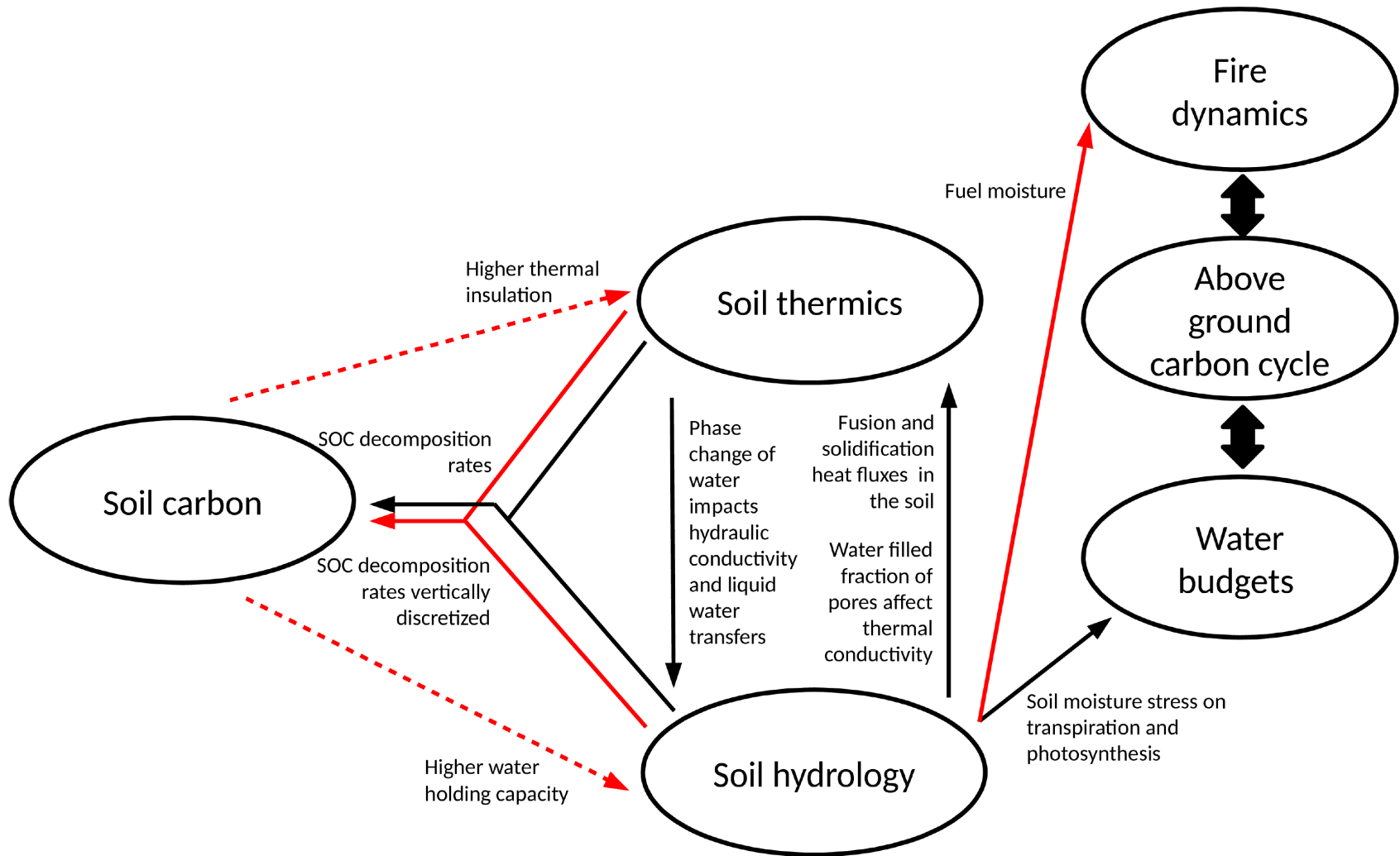
**Only an option in the trunk controlled by  
OK\_SOIL\_CARBON\_DISCRETIZATION**

# WHAT DO WE TOOK FROM MICT?

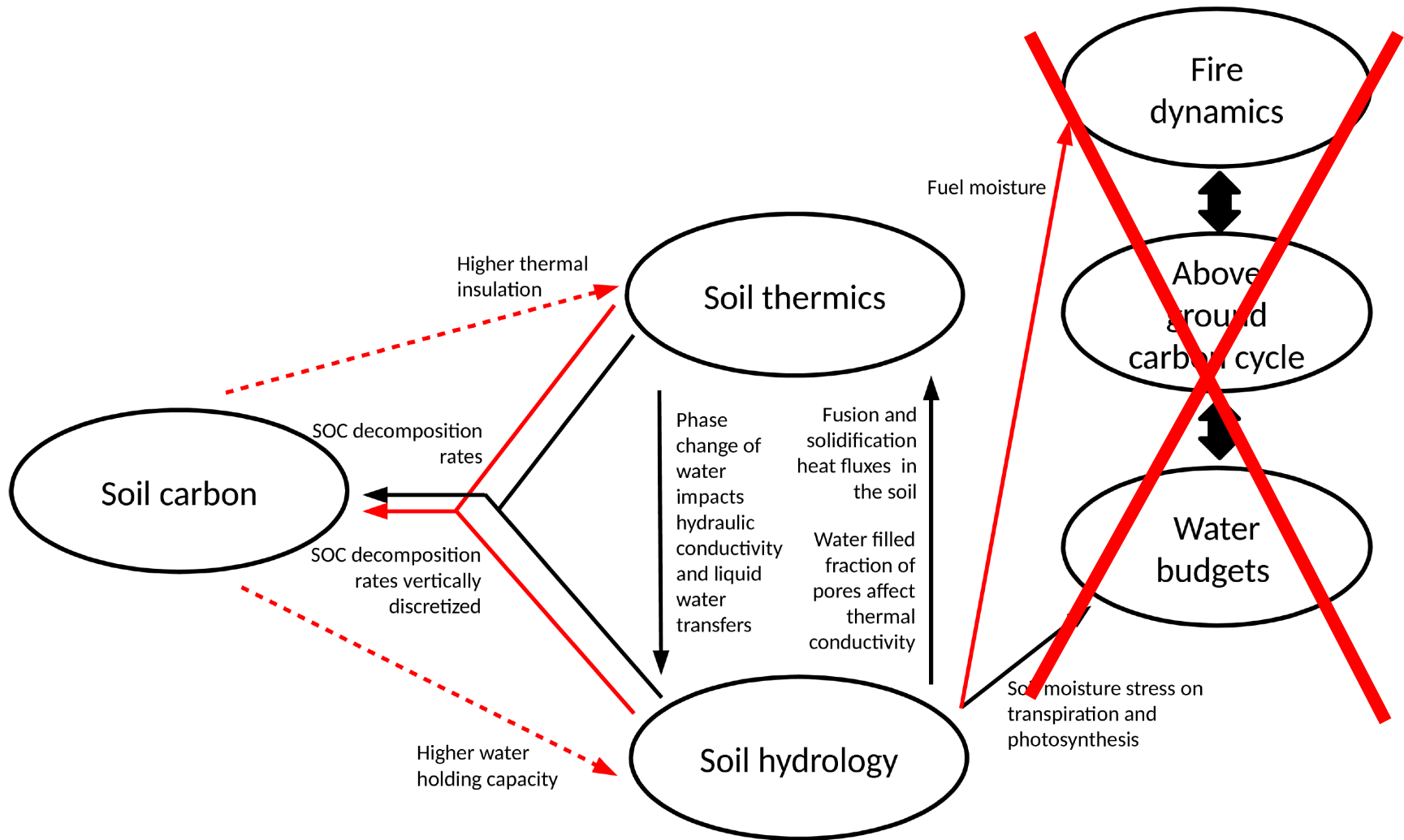
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- Several options are available in MICT but not in the trunk (fire, grassland management, permafrost C)
- Focus on permafrost C
- Not only adding « frozen C »
- Soil C is discretized
- Diffusion is added (including bioturbation and cryoturbation)
- Temperature effect on SOC mineralization
- When frozen, nroot is set to -> impact on water stress and on transpiration.
- Optional
  - Zimov effect
  - Insolation effect (thermal conductivity affected by SOC)

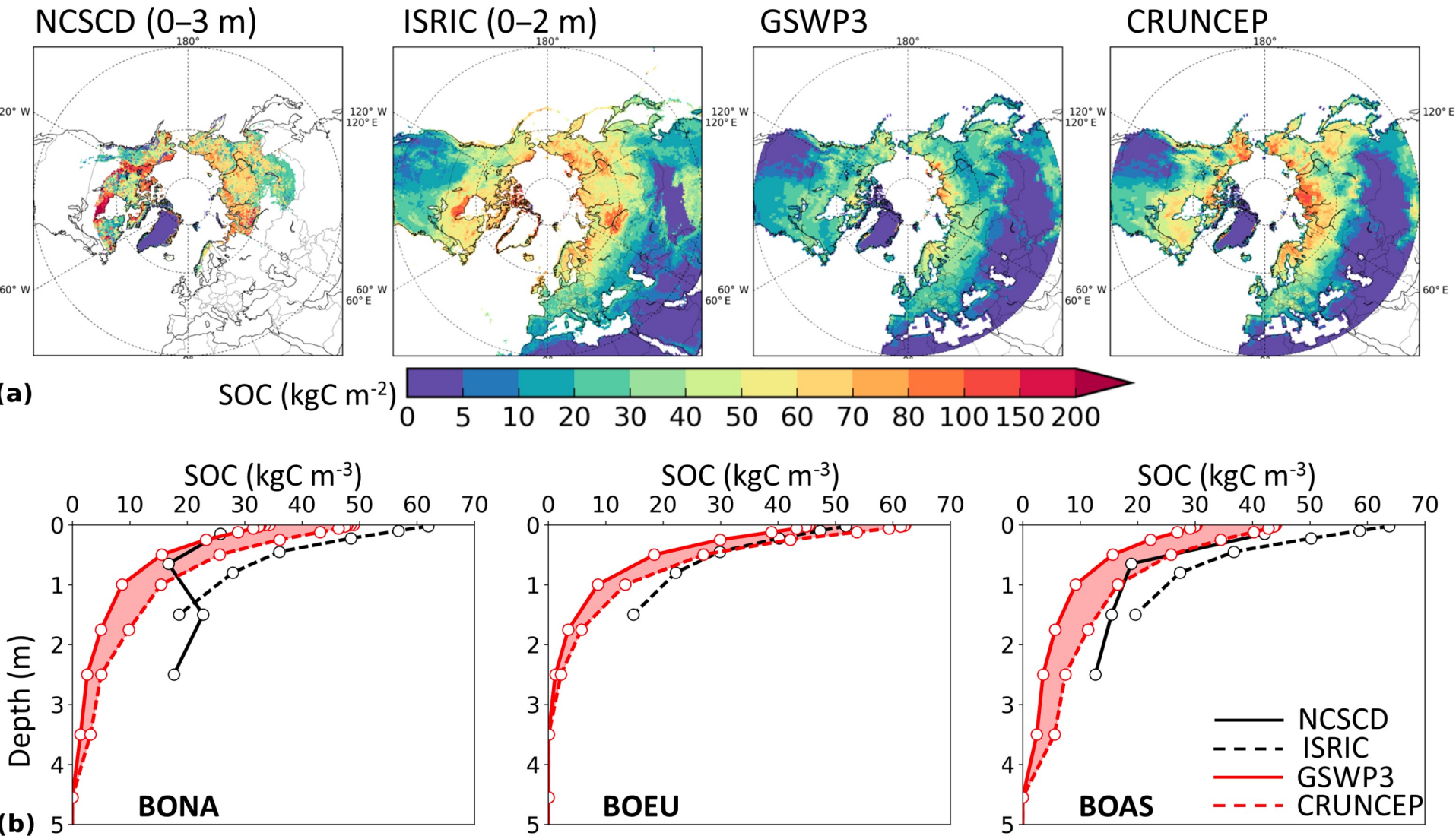
# WHAT DO WE TOOK FROM MICT?



# WHAT DO WE TOOK FROM MICT?



# WHAT DO WE TOOK FROM MICT?



# WHAT IS NEW

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- Soil organic N is also discretized
- Mineral N is not
- No effect on N plant uptake

# ONGOING DEVELOPEMENT

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- Representation of the soil C/N profile
- Lateral outputs of C (DOC, Erosion)
- Representation of Priming effect.
- Carbon isotopes ( $^{14}\text{C}$  and  $^{13}\text{C}$ )
- Peatlands

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THANK YOU FOR YOUR ATTENTION!