



Met Office

GungHo!

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Outline

- GungHo!
- Challenges
- Where we are now
- Summary



GungHo!

Globally

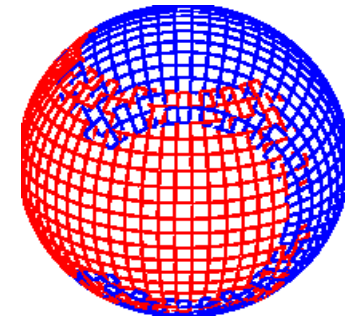
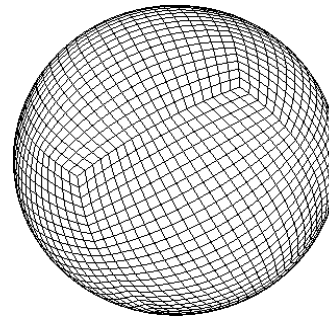
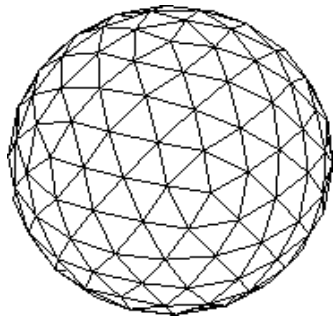
Uniform

Next

Generation

Highly

Optimized



“Working together harmoniously”



5 Year Project

- “To research, design and develop a new dynamical core suitable for operational, global and regional, weather and climate simulation on massively parallel computers of the size envisaged over the coming 20 years.”
- Split into two phases:
 - 2 years “research” (2011-13)
 - 3 years “development” (2013-2016)
- Met Office, STFC, Universities of: Bath, Exeter, Imperial, Leeds, Manchester, Reading, Warwick

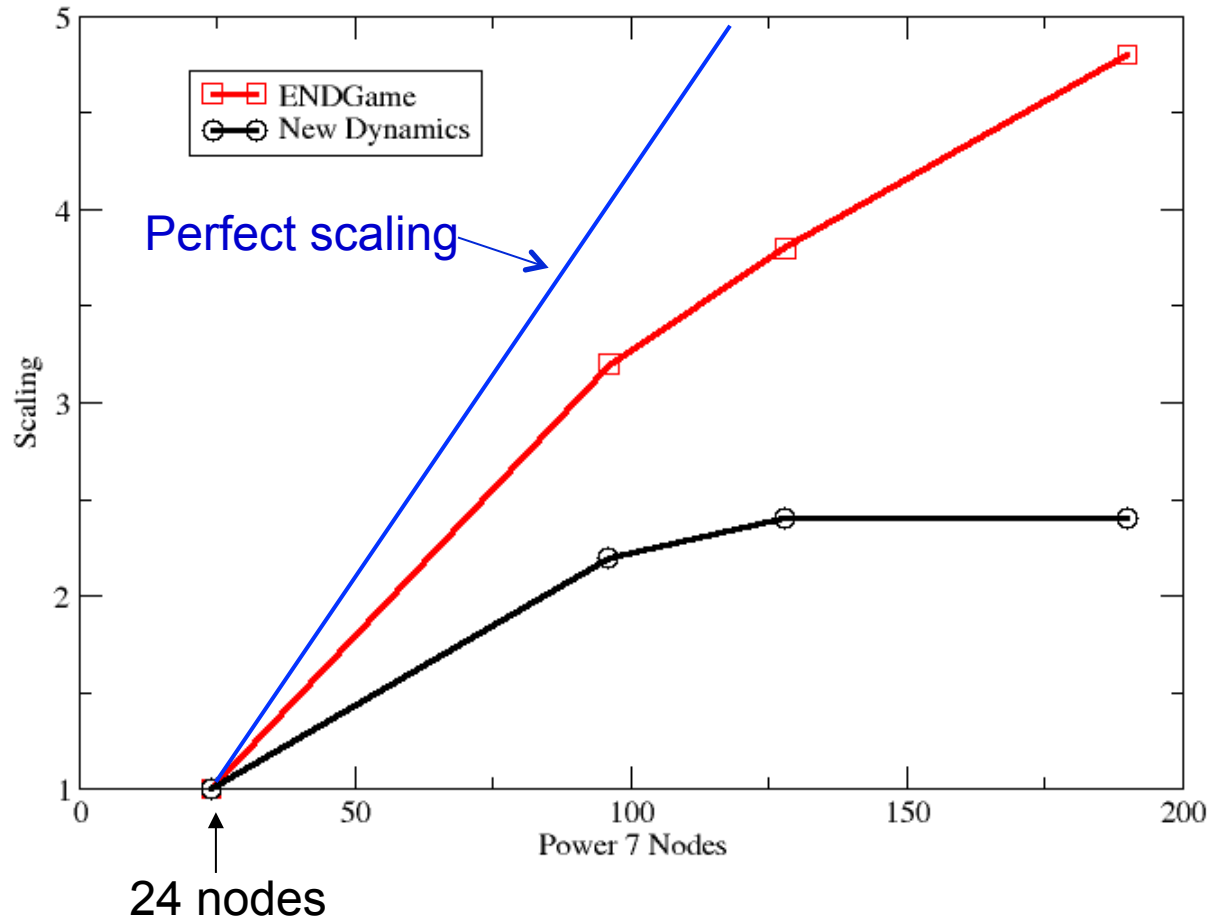


Scalability

(17km) N768 - New Dynamics vs ENDGame

Scaling

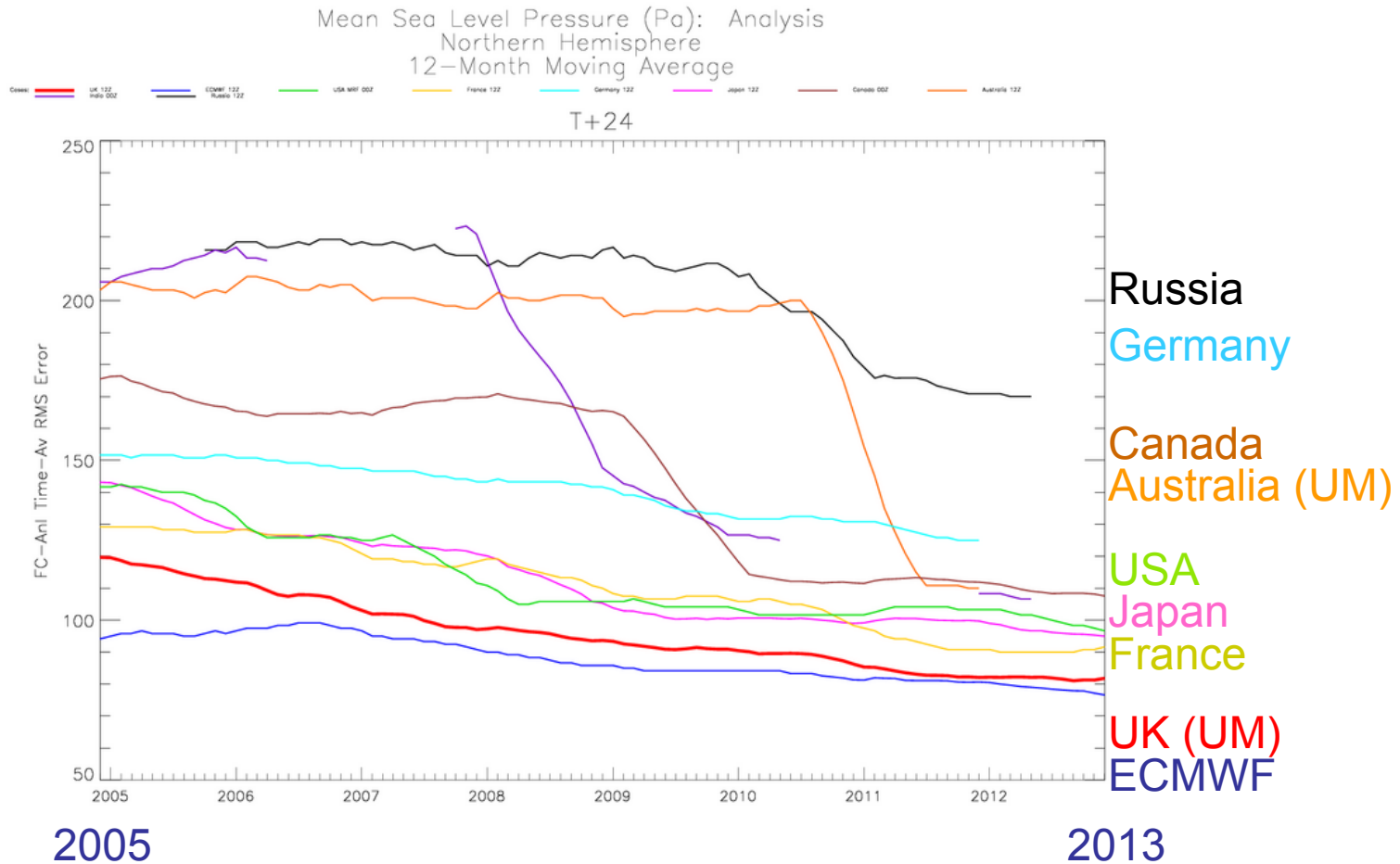
$$T_{24}/T_N$$





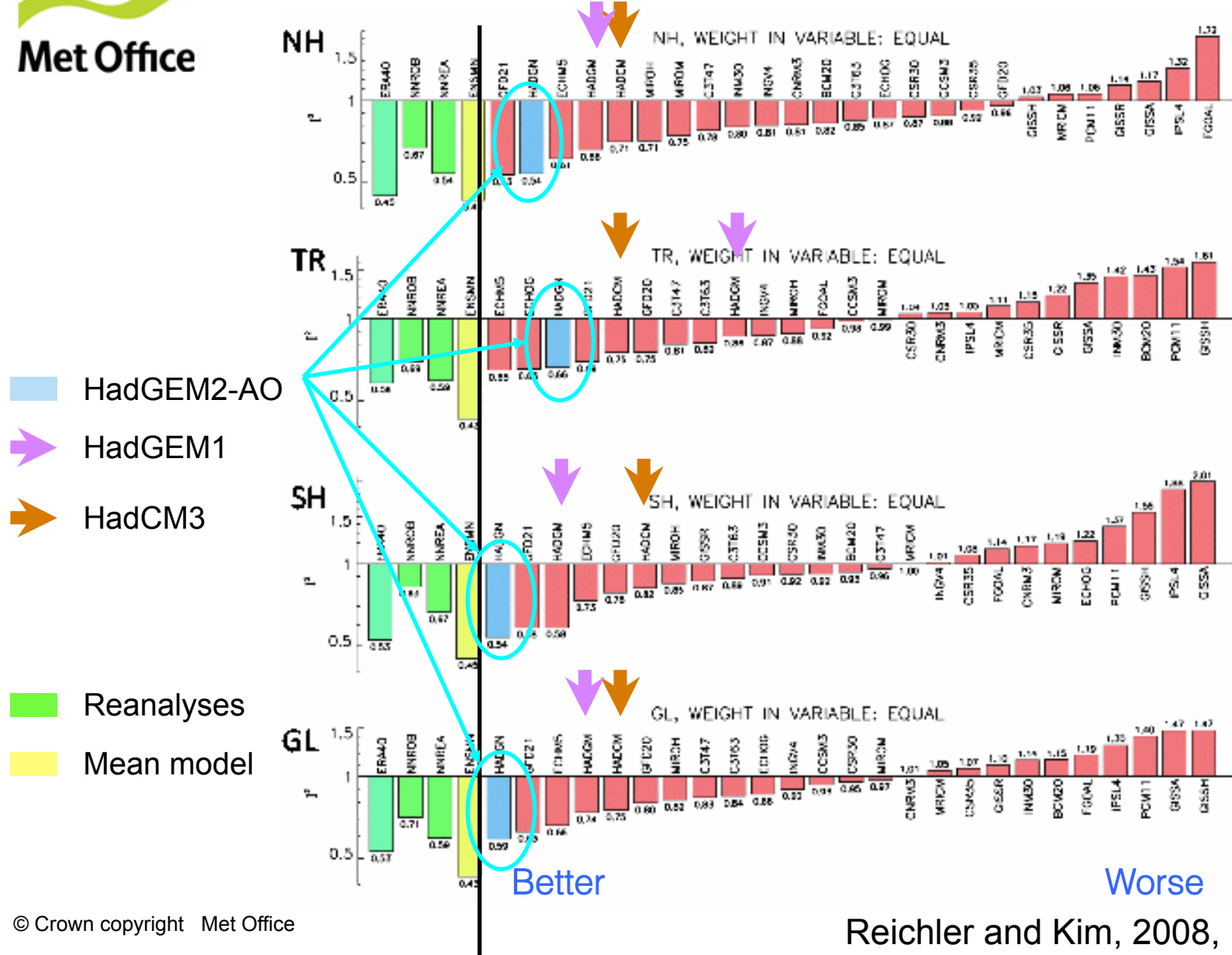
Relative performance

24 hour Northern Hemisphere surface pressure errors





Performance metric for CMIP3 climate models





From GungHo to not so GungHo

Staniforth & Thuburn 2012 identified ten

“Essential and desirable properties of a dynamical core”:

1. Mass conservation
2. Accurate representation of balanced flow and adjustment
3. Computational modes should be absent or well controlled



From GungHo to not so GungHo

4. Geopotential gradient and pressure gradient should produce no unphysical source of vorticity

$$\nabla \cdot (\nabla \times (\nabla p)) = 0$$

5. Terms involving the pressure should be energy conserving.

$$\mathbf{u} \cdot \nabla p + p \nabla \cdot \mathbf{u} = \nabla \cdot (\mathbf{u} p)$$

6. Coriolis terms should be energy conserving

$$\mathbf{u} \cdot (\nabla \times \mathbf{u}) = 0$$

7. There should be no spurious fast propagation of Rossby modes; geostrophic balance should not spontaneously break down

8. Axial angular momentum should be conserved

These 5 properties relate to the *mimetic* properties of the numerics



From GungHo to not so GungHo

9. Accuracy approaching second order
10. Minimal grid imprinting

These are particularly challenging for grids with special points/regions

⇒ likely to require higher order schemes...
...whilst maintaining (1)-(8)

Hexagonal C-Grid Problem: Non-Stationary Geostrophic Mode

Slide courtesy of
Bill Skamarock and
Joe Klemp (NCAR)

New Coriolis velocity evaluation (Thuburn, 2008 JCP)

$$\partial_t u_1 + g \delta_{x_1} h + \frac{f}{\sqrt{3}} (u_{31} - u_{21}) = 0$$

$$\partial_t u_2 + g \delta_{x_2} h + \frac{f}{\sqrt{3}} (u_{12} - u_{32}) = 0$$

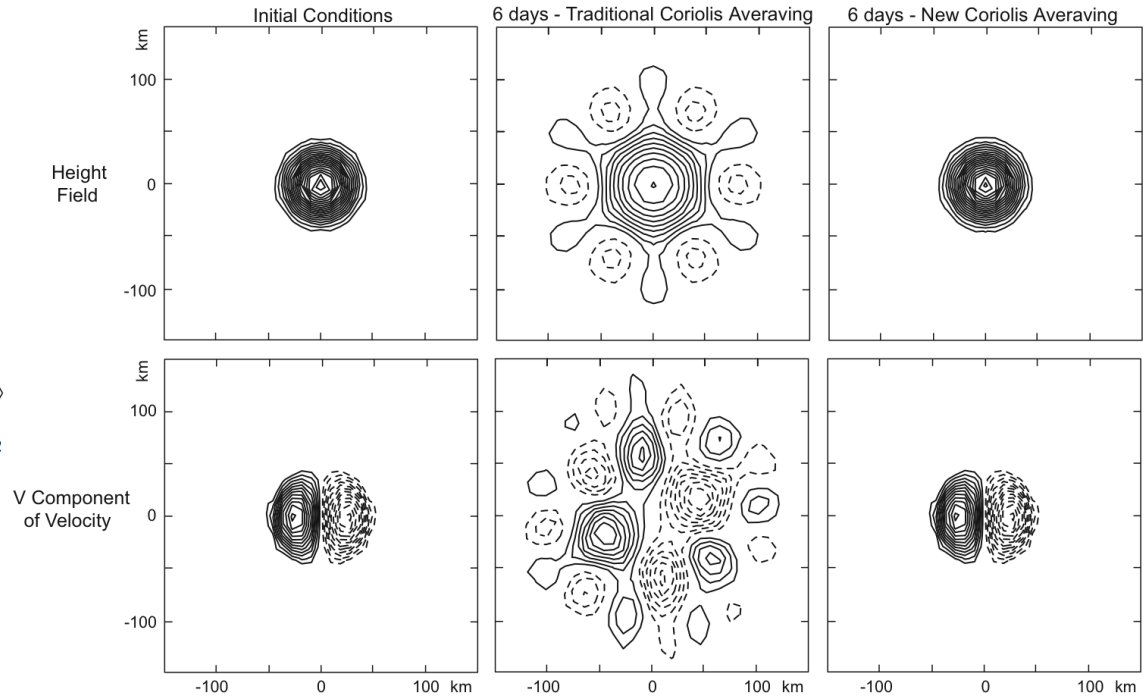
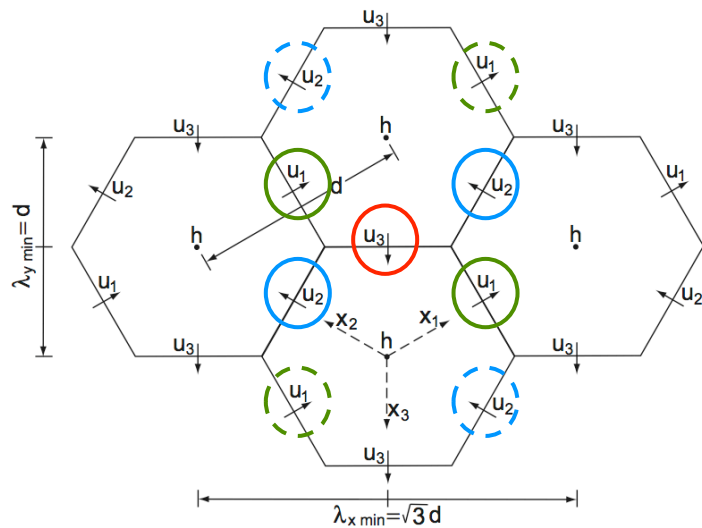
$$\partial_t u_3 + g \delta_{x_3} h + \frac{f}{\sqrt{3}} (u_{23} - u_{13}) = 0$$

$$\partial_t h + \frac{2}{3} H (\delta_{x_1} u_1 + \delta_{x_2} u_2 + \delta_{x_3} u_3) = 0$$

$$u_{21} = \frac{1}{3} \overline{u_2}^{x_3} + \frac{2}{3} \overline{u_2}^{x_1 x_2}, \quad u_{31} = \frac{1}{3} \overline{u_3}^{x_2} + \frac{2}{3} \overline{u_3}^{x_1 x_3},$$

$$u_{12} = \frac{1}{3} \overline{u_1}^{x_3} + \frac{2}{3} \overline{u_1}^{x_1 x_2}, \quad u_{32} = \frac{1}{3} \overline{u_3}^{x_1} + \frac{2}{3} \overline{u_3}^{x_2 x_3},$$

$$u_{13} = \frac{1}{3} \overline{u_1}^{x_2} + \frac{2}{3} \overline{u_1}^{x_1 x_3}, \quad u_{23} = \frac{1}{3} \overline{u_2}^{x_1} + \frac{2}{3} \overline{u_2}^{x_2 x_3}$$

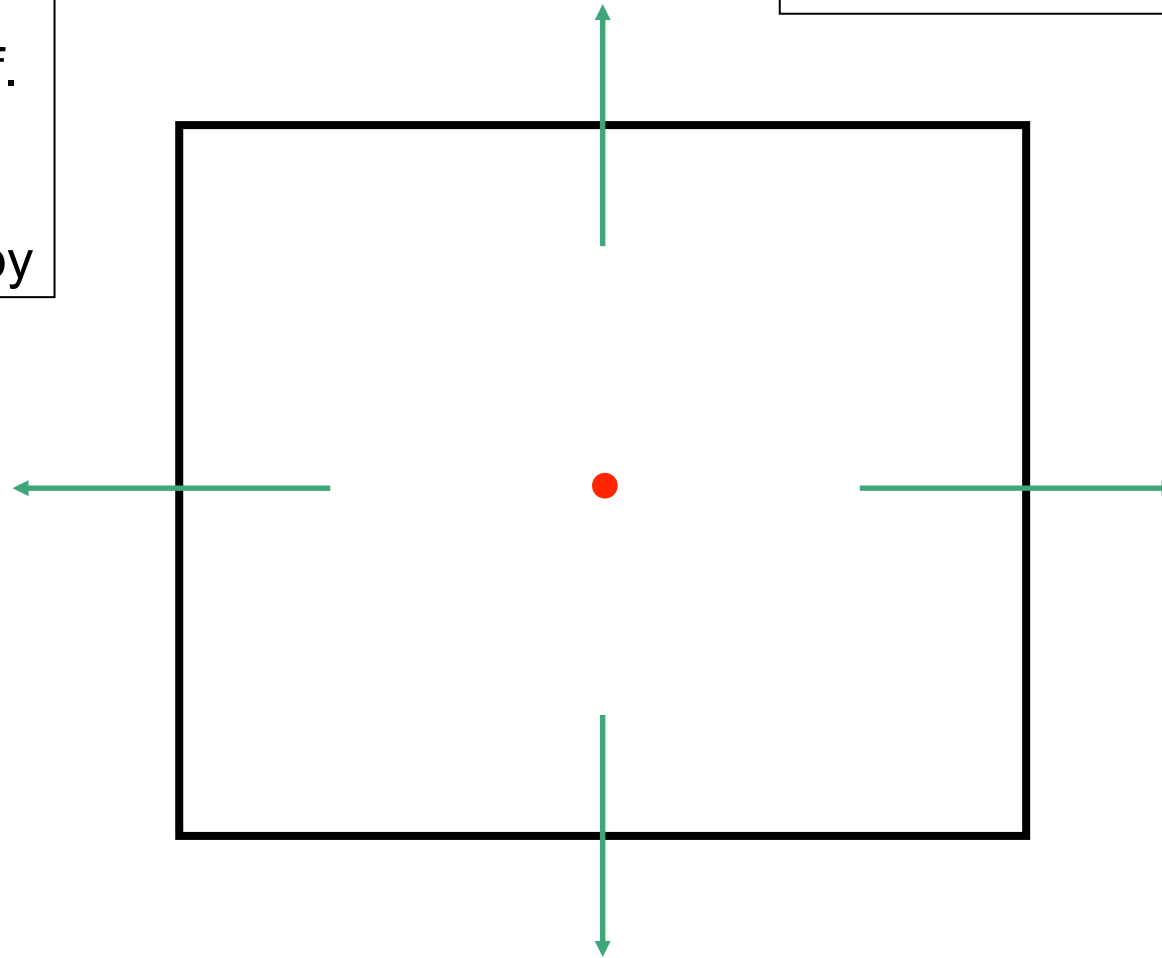




C-grid on Quads

- 2 wind d.o.f's
- 1 pressure d.o.f.
- Cf. analytical
- 2 GWs 1 Rossby

- **Green** \Rightarrow Continuous between cells
- **Red** \Rightarrow Discontinuous between cells

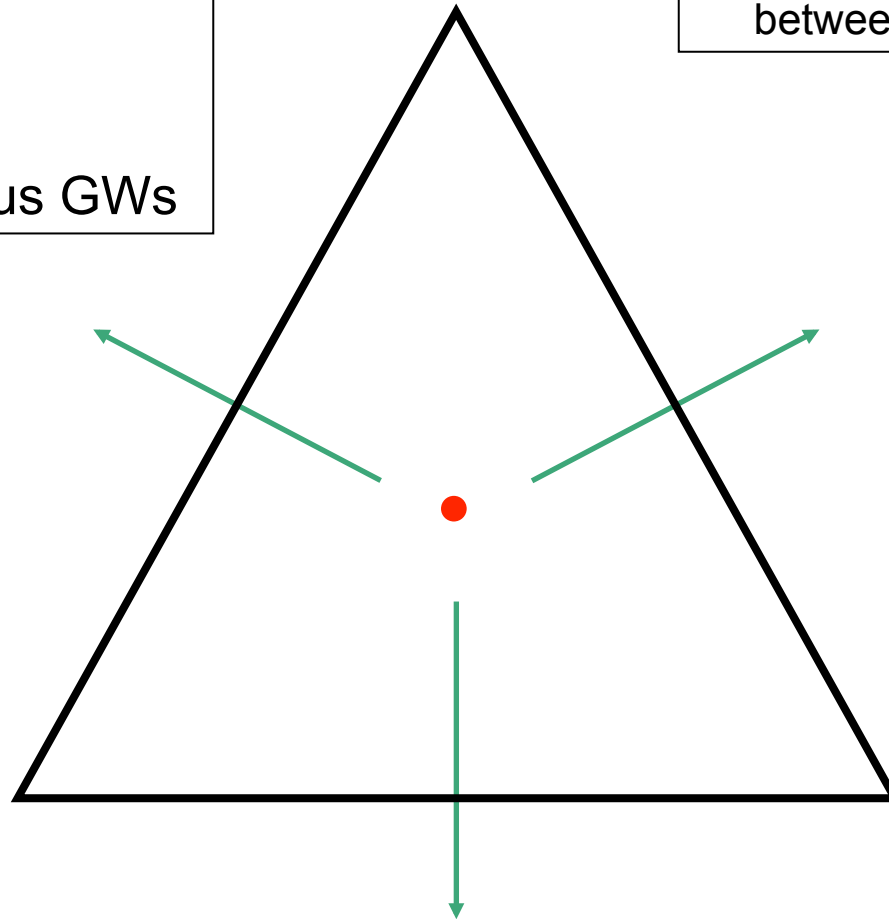




C-grid on Triangles

- 3 wind d.o.f.'s
- 2 pressure d.o.f.'s
- \Rightarrow Branch of spurious GWs

- Green \Rightarrow Continuous between cells
- Red \Rightarrow Discontinuous between cells

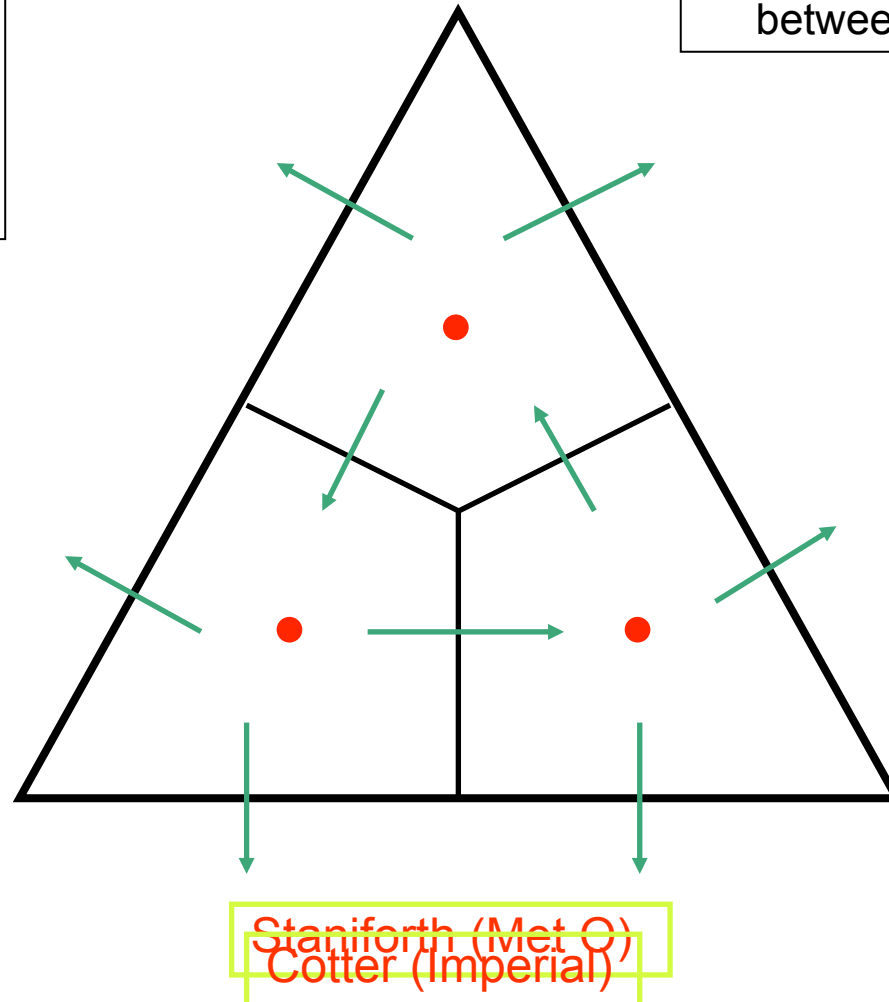




Triangle as 3 Kites

- 6 wind d.o.f.'s
- 3 pressure d.o.f.'s
- \Rightarrow Balanced d.o.f.'s

- Green \Rightarrow Continuous between cells
- Red \Rightarrow Discontinuous between cells

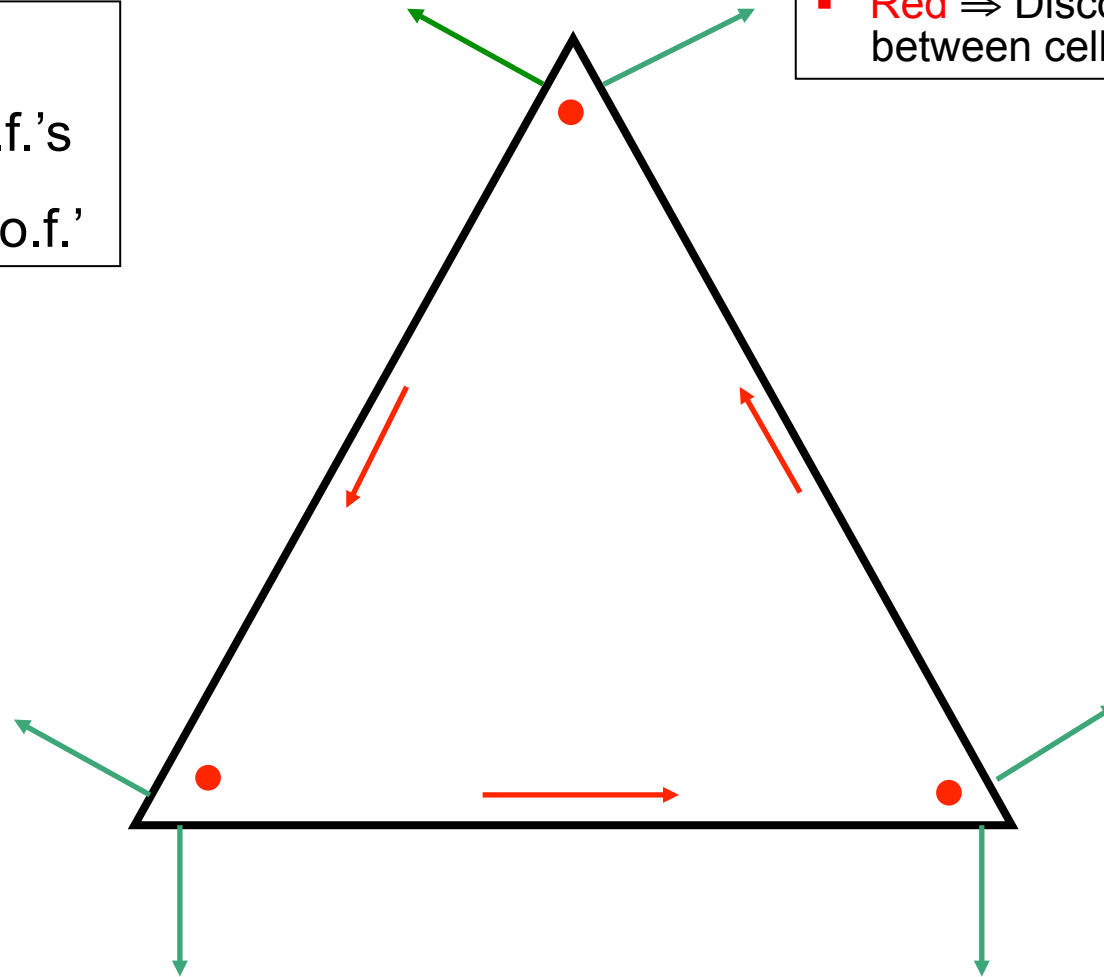




⇒ BDFM1 element!

- 6 wind d.o.f.'s
- 3 pressure d.o.f.'s
- ⇒ Balanced d.o.f.'s

- Green ⇒ Continuous between cells
- Red ⇒ Discontinuous between cells

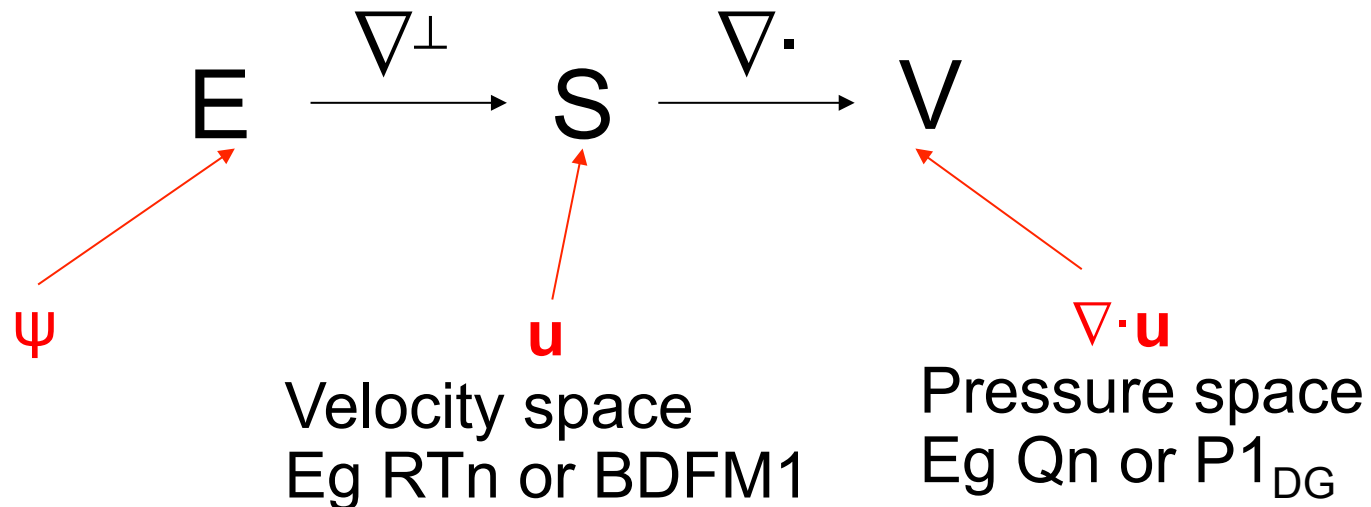


Two ways forward

- Vector invariant form of equations:

$$\mathbf{u} \cdot \nabla \mathbf{u} \rightarrow (\nabla \times \mathbf{u}) \times \mathbf{u} + \nabla(\mathbf{u} \cdot \mathbf{u}/2)$$

- *Mixed* finite-elements, **Primal-only**:





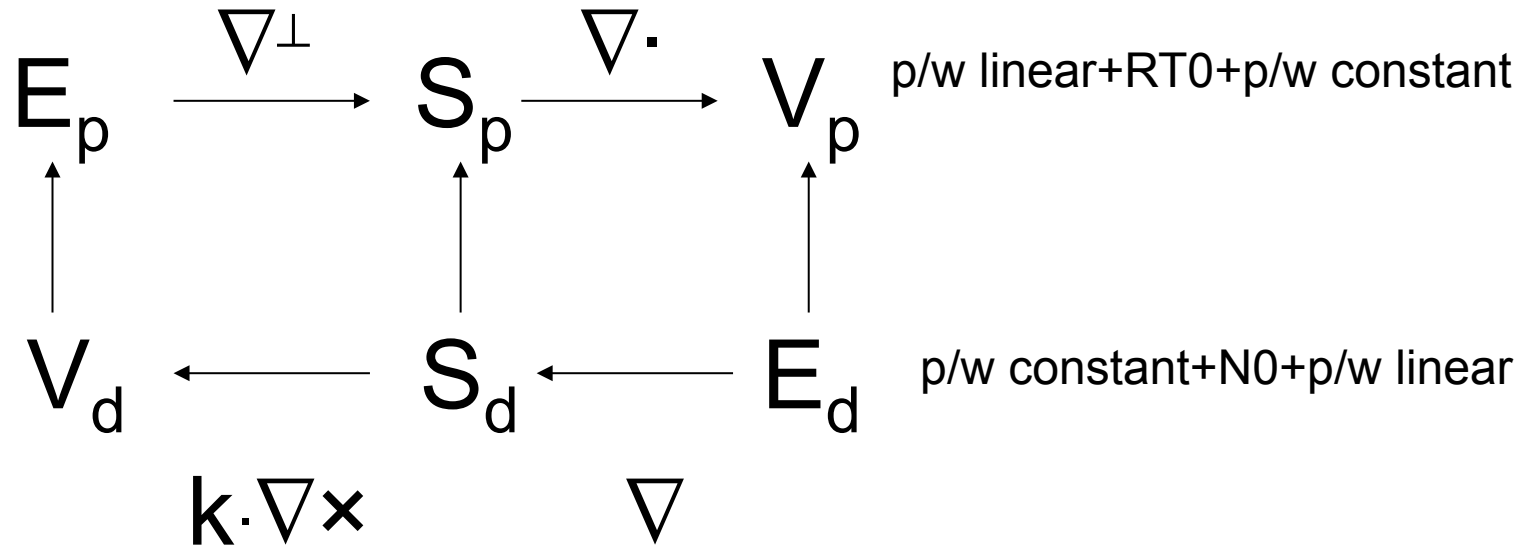
Two ways forward

Cotter (Imperial)
& Thuburn (Exeter)

- Vector invariant form of equations:

$$\mathbf{u} \cdot \nabla \mathbf{u} \rightarrow (\nabla \times \mathbf{u}) \times \mathbf{u} + \nabla(\mathbf{u} \cdot \mathbf{u}/2)$$

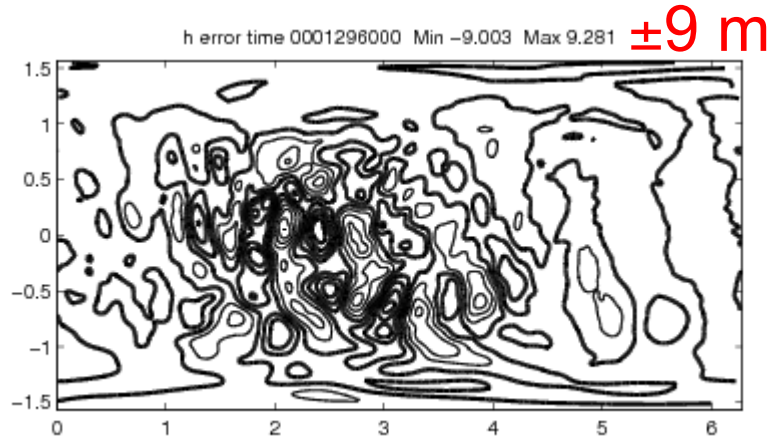
- *Mixed* finite-elements, **Primal-Dual**:



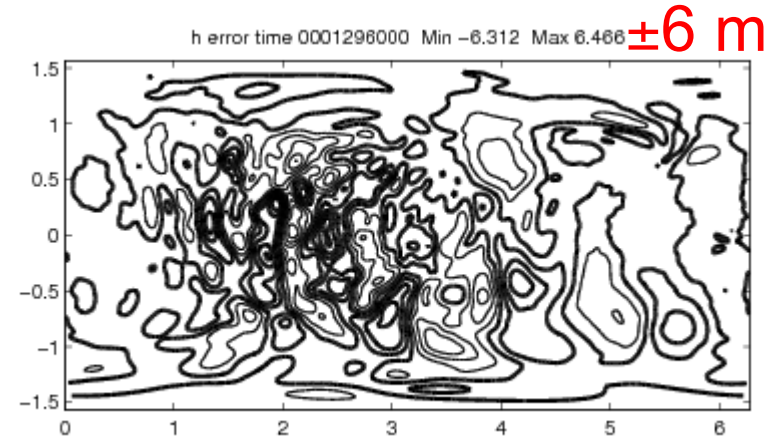


Some primal-dual results

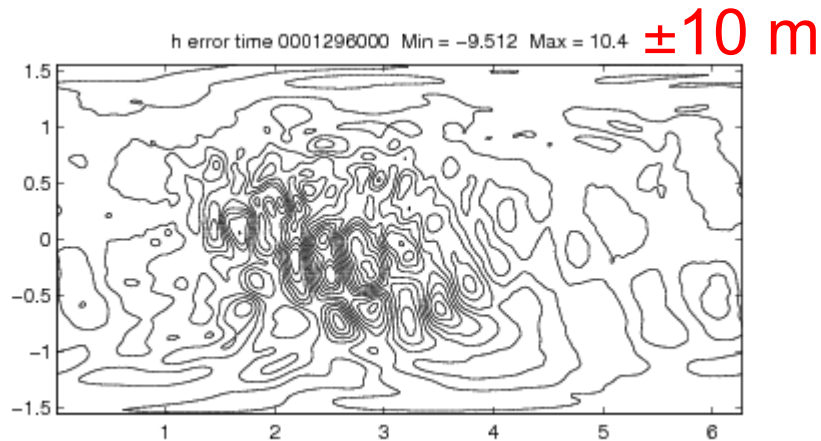
Williamson Test Case 5 with 160K d.o.f.s (320x160)



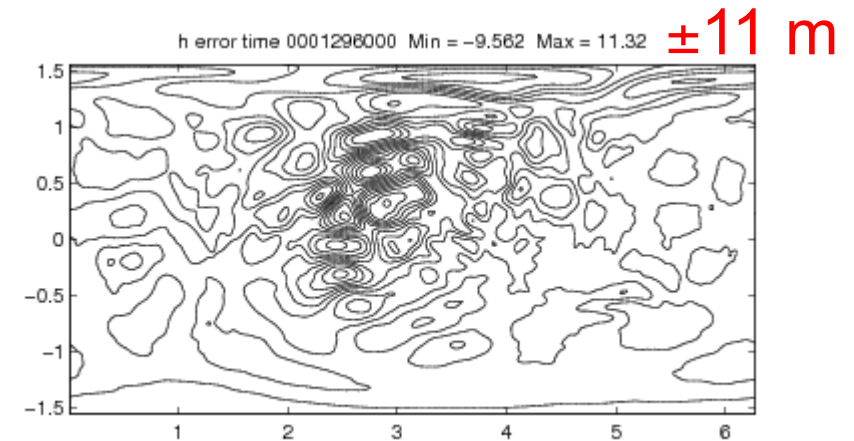
FEM Hexagonal



FEM Cubed-sphere



ENDGame lat-lon

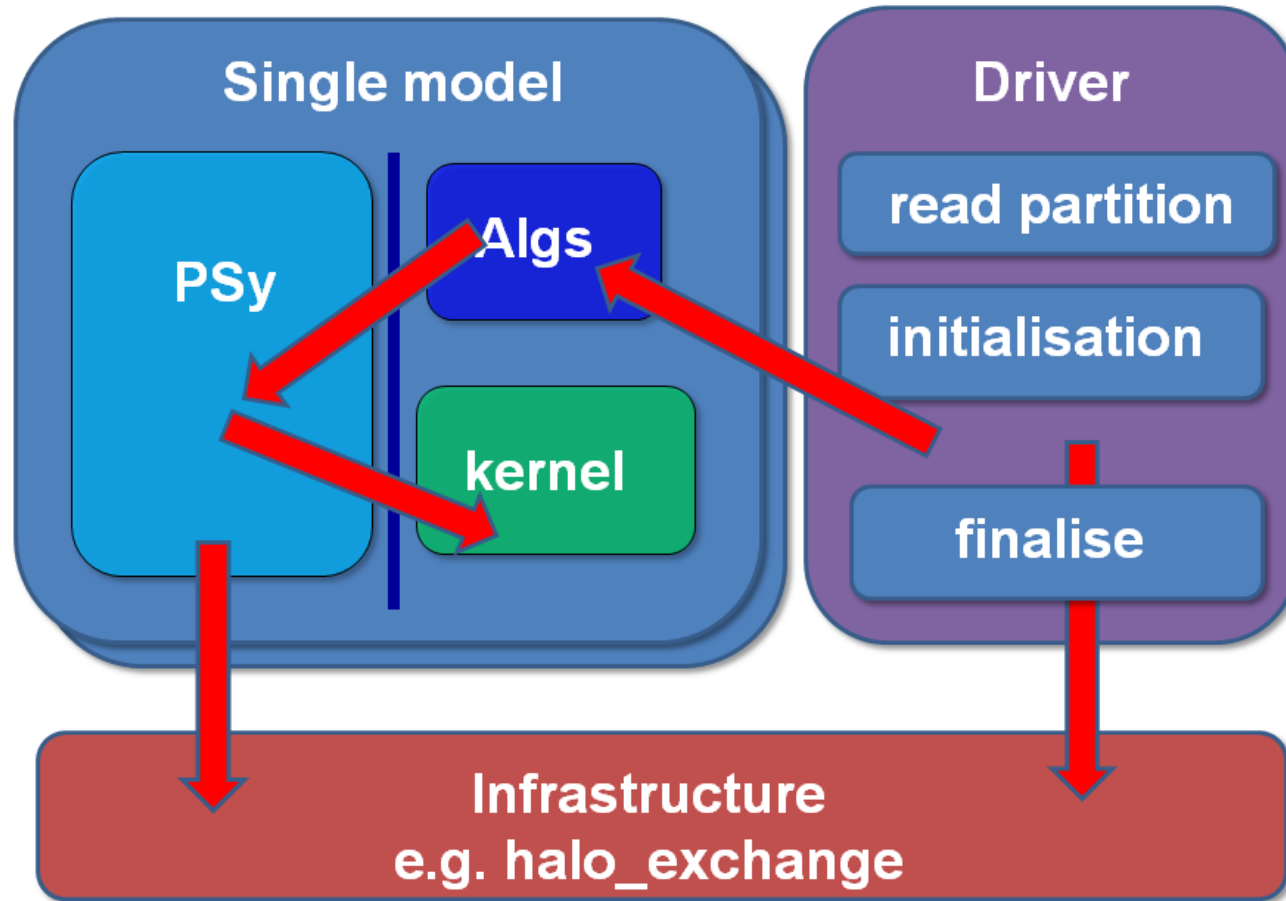


ENDGame rotated lat-lon

Thuburn (Exeter)

Computational Science & LFRIC

Ham (Imperial), Ford & Pickles (STFC), Riley (Manchester),
Maynard & Glover (MetO, HPC)



- Vertical loop inner most
- Indirect addressing for horizontal
- F2003



Timetable...

- Further development and testing of horizontal [2013]
- Testing of proposals for code architecture [2013]
- Vertical discretization [2013]
- 3D prototype development [2014-2015]
- Operational around 2020...?



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Thank you!

Questions?